



Code No: 811AA

**R13****JAWAHARLAL NEHRU TECHNOLOGICAL UNIVERSITY HYDERABAD****MCA I Semester Examinations, August - 2017****MATHEMATICAL FOUNDATIONS OF COMPUTER SCIENCE****Time: 3hrs****Max.Marks:60****Note:** This question paper contains two parts A and B.

Part A is compulsory which carries 20 marks. Answer all questions in Part A.

Part B consists of 5 Units. Answer any one full question from each unit. Each question carries 8 marks and may have a, b, c as sub questions.

**PART - A****5 × 4 Marks = 20**

- 1.a) What do you mean by tautological implication? Give an example. [4]
- b) Explain transitive closure property. [4]
- c) Write about binomial and multinomial theorems. [4]
- d) What are generating functions? Give an example. [4]
- e) Write about binary trees. [4]

**PART - B****5 × 8 Marks = 40**

- 2.a) Express  $P \rightarrow (\neg P \rightarrow Q)$  in terms of  $\uparrow$  only.
- b) Define Universe of Discourse? Symbolize the given statement with and without using the set of positive numbers as the Universe of Discourse. Statement: "Given any positive integer there is a greater positive integer." [4+4]

**OR**

3. Give an over view of theory of inference for predictive calculus. [8]

4.  $S = \{1, 2, 3, 4\}$  and  $A = S \times S$ . Define a relation R on A by  $(a, b) R (a', b') \Leftrightarrow a+b = a'+b'$ .

a) Show that R is an equivalence relation.

b) Compute  $A/R$ . [4+4]**OR**

- 5.a) Let  $(S, *)$  and  $(T, **)$  be Semi Groups. Show that the function  $f: S \times T \rightarrow S$  defined by  $f(s, t) = s$  is a Homomorphism of the Semi Group  $S \times T$  onto the Semi Group  $S$ ?

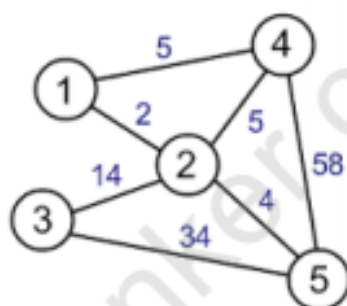
b) Give an over view of lattice as an algebraic structures. [4+4]

- 6.a) Explain pigeon hole principles and its applications.
- b) Explain the principles of inclusion and exclusion. [4+4]

**OR**

7. Determine the coefficients of  $x^2y^3$  and  $x^3y^2$  in  $(2x+3y)^{10}$ . [8]

8. What are characteristic roots? Explain how characteristics roots can be used in solving recurrence relation using examples. [8]
- OR**
9. Write short notes on how each of the following can be used in solving recurrence relation.  
a) Function of sequences  
b) Coefficients of generating functions. [4+4]
10. Explain the following with examples:  
a) Hamiltonian Graphs  
b) Planar graphs and multi-graphs. [4+4]
- OR**
11. Write Kruskal's Algorithm and explain. Find the minimum cost spanning tree for the given graph? And calculate its minimum cost. [8]



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