

Code No. 8075

FACULTY OF SCIENCE
B.Sc. III – Semester (CBCS) Examination, November / December 2019

Subject: Statistics
Statistical Methods
Paper – III (DSC)

120918 467025

Max.Marks: 80

Time: 3 Hours

PART – A (5×4 = 20 Marks)
(Short Answer Type)

Note: Answer any FIVE of the following questions.

- 1 What is scatter diagram? Show different types of correlations using scatter diagram.
- 2 Explain why two lines of regression exist.
- 3 Define partial association. Give the formulae for computation of partial association.
- 4 Define:
 - a) Attributes
 - b) Positive Association
 - c) Negative association
 - d) Independence of attributes
- 5 Define: a) Unbiasedness
Give one example for each.
- 6 Define sampling distribution and standard error
- 7 Write about Interval estimation.
- 8 Explain estimation by method of moments.

PART – B (4×15 = 60 Marks)
(Essay Answer Type)

Note: Answer all questions.

- 9 a) Derive the normal equations for fitting of a curve of the form:
i) $Y = ab^x$ ii) $Y = ae^{bx}$

OR

- b) Derive the regression equation of X on Y.

- 10 a) i) Define multiple correlation for three variables and give the formulae for the same.
ii) Calculate $R_{1.23}$, $R_{2.13}$ and $R_{3.12}$ if $r_{12} = 0.6$, $r_{13} = 0.7$, $r_{23} = 0.65$

OR

- b) i) Define consistency of data. Give the conditions for consistency of three attributes.

- ii) If $(A) = 450$, $(B) = 650$, $(AB) = 310$, $N = 1000$. Find whether A and B are independent or associated.

- 11 a) Define Chi-square Distribution. Derive the relationship between F and Chi-square distributions.

OR

- b) Let $x_1, x_2, \dots, x_n$ be a random sample from normal population with mean μ and variance σ^2 . Show that sample mean is an unbiased estimator of population mean and sample variance is not an unbiased estimator of population variance.

- 12 a) State Neyman Factorization Theorem. Find a sufficient estimator to the parameter λ in Poisson distribution based on a random sample of size 'n' from the same.

OR

- b) Explain the method of maximum likelihood estimation. Obtain MLE for θ in exponential distribution based on a random sample $x_1, x_2, \dots, x_n$ from the same.