

**Question Paper Name:** 5279 Advanced Concepts in Fluid Mechanics 30th June 2019 Shift 1  
**Subject Name:** Advanced Concepts in Fluid Mechanics  
**Creation Date:** 2019-06-30 13:01:42  
**Duration:** 180  
**Total Marks:** 100  
**Display Marks:** Yes

### Advanced Concepts in Fluid Mechanics

**Group Number :** 1  
**Group Id :** 489994202  
**Group Maximum Duration :** 0  
**Group Minimum Duration :** 120  
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**Revisit allowed for edit? :** No  
**Break time:** 0  
**Group Marks:** 100

### Advanced Concepts in Fluid Mechanics

**Section Id :** 489994258  
**Section Number :** 1  
**Section type :** Online  
**Mandatory or Optional:** Mandatory  
**Number of Questions:** 50  
**Number of Questions to be attempted:** 50  
**Section Marks:** 100  
**Display Number Panel:** Yes  
**Group All Questions:** No

**Sub-Section Number:** 1  
**Sub-Section Id:** 489994282  
**Question Shuffling Allowed :** Yes

**Question Number : 1 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical**

**Correct Marks : 2 Wrong Marks : 0**

Consider a steady, fully developed laminar flow of a constant property Newtonian fluid through a circular pipe of diameter  $D$ . The velocity profile in the pipe is given by

$$\frac{v_z}{v_{z,\max}} = \left(1 - \frac{4r^2}{D^2}\right),$$

where  $r$  is the radial distance from the centreline of the pipe and

$v_{z,\max}$  is the maximum velocity which occurs at the pipe centreline. The relationship between the maximum velocity,  $v_{z,\max}$  and the average velocity,  $\bar{v}_z$  is given by

- A.  $v_{z,\max} = \bar{v}_z$
- B.  $v_{z,\max} = 1.5\bar{v}_z$
- C.  $v_{z,\max} = 2\bar{v}_z$
- D.  $v_{z,\max} = 2.5\bar{v}_z$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 2 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a steady, fully developed laminar flow of a constant property Newtonian fluid through a circular pipe of diameter  $D$ . The velocity profile in the pipe is given by

$$\frac{v_z}{v_{z,\max}} = \left(1 - \frac{4r^2}{D^2}\right),$$

where  $r$  is the radial distance from the centreline of the pipe and

$v_{z,\max}$  is the maximum velocity which occurs at the pipe centreline. Let  $\bar{v}_z$  denote the average velocity of the flow. The shear stress at any location can be written as

$$\tau_{rz} = \mu \left( \frac{\partial v_r}{\partial z} + \frac{\partial v_z}{\partial r} \right).$$

If the viscosity of the fluid is  $\mu$ , the magnitude of wall shear stress

is given by

- A.  $\frac{8\mu\bar{v}_z}{D}$
- B.  $\frac{4\mu\bar{v}_z}{D}$
- C.  $\frac{2\mu\bar{v}_z}{D}$
- D.  $\frac{\mu\bar{v}_z}{D}$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 3 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

a steady, fully developed laminar flow of a constant property Newtonian fluid through a circular pipe of diameter  $D$ . The velocity profile in the pipe is given by

$$\frac{v_z}{v_{z,\max}} = \left(1 - \frac{4r^2}{D^2}\right),$$

where  $r$  is the radial distance from the centreline of the pipe and

$v_{z,\max}$  is the maximum velocity which occurs at the pipe centreline. Let  $\bar{v}_z$  denote the average velocity of the flow. If the viscosity of the fluid is  $\mu$ , the pressure drop across a length  $L$  of the pipe is given by

- A.  $\frac{64\mu\bar{v}_z L}{D^2}$
- B.  $\frac{32\mu\bar{v}_z L}{D^2}$
- C.  $\frac{16\mu\bar{v}_z L}{D^2}$
- D.  $\frac{8\mu\bar{v}_z L}{D^2}$

Options :

1. 1
2. 2
3. 3
4. 4

Question Number : 4 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a steady, fully developed laminar flow of a constant property Newtonian fluid through a circular pipe of diameter  $D$ . The velocity profile in the pipe is given by

$$\frac{v_z}{v_{z,\max}} = \left(1 - \frac{4r^2}{D^2}\right),$$

where  $r$  is the radial distance from the centreline of the pipe and

$v_{z,\max}$  is the maximum velocity which occurs at the pipe centreline. The skin friction

coefficient,  $C_f$  is defined as  $C_f = \frac{|\tau_w|}{\frac{1}{2}\rho\bar{v}_z^2}$ , where  $\bar{v}_z$  denotes the average velocity of the

flow and  $\tau_w$  denotes the magnitude of wall shear stress. The relationship between the skin friction coefficient and the Reynolds number for pipe flow is given as

- A.  $C_f = \frac{8}{Re_D}$
- B.  $C_f = \frac{16}{Re_D}$
- C.  $C_f = \frac{32}{Re_D}$
- D.  $C_f = \frac{64}{Re_D}$

Options :

1. 1
2. 2
3. 3
4. 4

Consider a steady, fully developed laminar flow of a constant property Newtonian fluid through a circular pipe of diameter  $D$ . The velocity profile in the pipe is given by

$$\frac{v_z}{v_{z,\max}} = \left(1 - \frac{4r^2}{D^2}\right),$$
 where  $r$  is the radial distance from the centreline of the pipe and

$v_{z,\max}$  is the maximum velocity which occurs at the pipe centreline. The frictional head losses are expressed in terms of the Darcy friction factor defined by the equation:

$$h_f = \frac{\Delta p}{\rho g} = f \frac{L}{D} \frac{\bar{v}_z^2}{2g},$$
 where  $\bar{v}_z$  denotes the average velocity of the flow and  $\Delta p$  denotes

the pressure drop across a length  $L$  of the pipe. The relationship between the Darcy friction factor and the Reynolds number for pipe flow is given by

- A.  $f = \frac{8}{Re_D}$
- B.  $f = \frac{16}{Re_D}$
- C.  $f = \frac{32}{Re_D}$
- D.  $f = \frac{64}{Re_D}$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Correct Marks : 2 Wrong Marks : 0

Consider a steady, fully developed laminar flow of a constant property Newtonian fluid through a circular pipe of diameter  $D$ . The velocity profile in the pipe is given by

$$\frac{v_z}{v_{z,\max}} = \left(1 - \frac{4r^2}{D^2}\right),$$
 where  $r$  is the radial distance from the centreline of the pipe and

$v_{z,\max}$  is the maximum velocity which occurs at the pipe centreline. The skin friction

coefficient,  $C_f$  is defined as  $C_f = \frac{|\tau_w|}{\frac{1}{2}\rho\bar{v}_z^2}$  and the Darcy friction factor defined by the

equation:  $h_f = \frac{\Delta p}{\rho g} = f \frac{L}{D} \frac{\bar{v}_z^2}{2g}$ , where  $\bar{v}_z$  denotes the average velocity of the flow,  $\tau_w$

denotes the magnitude of wall shear stress and  $\Delta p$  denotes the pressure drop across a length  $L$  of the pipe. The relationship between the Darcy friction factor and the skin friction coefficient is given as

- A.  $f = C_f$
- B.  $f = 2C_f$
- C.  $f = 4C_f$
- D.  $f = 8C_f$

Options :

2. 2

3. 3

4. 4

Question Number : 7 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Water flows through a pipe having an inner radius of 10 mm at the rate of 36 kg/hr at 25°C. The viscosity of water at 25°C is 0.001 kg/(m.s). The Reynolds number of the flow is

- A. 636
- B. 1272
- C. 2544
- D. 3816

Options :

1. 1

2. 2

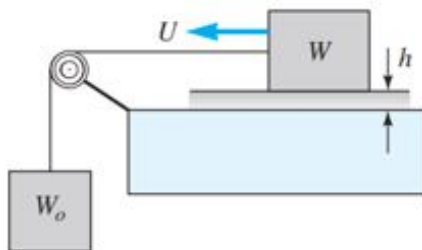
3. 3

4. 4

Question Number : 8 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

A block of weight  $W$  is being pulled over a table by another weight  $W_0$ , as shown in the figure. The block slides on an oil film of thickness  $h$  and viscosity  $\mu$ . The block bottom area  $A$  is in contact with the oil. The cord weight and the pulley friction are negligible. Assuming a linear velocity profile in the oil film, an algebraic formula for the steady velocity  $U$  of the block is



- A.  $\frac{Wh}{\mu A}$
- B.  $\frac{W_0 h}{\mu A}$
- C.  $\frac{(W_0 - W) h}{\mu A}$
- D.  $\frac{(W_0 + W) h}{\mu A}$

Options :

1. 1

2. 2

3. 3

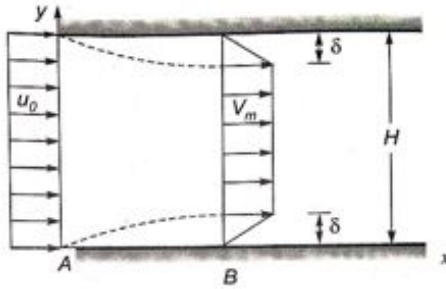
4. 4



Correct Marks : 2 Wrong Marks : 0

Consider a steady incompressible flow through a channel as shown below. The velocity profile is uniform with a value of  $u_0$  at the inlet section  $A$ . The velocity profile at section  $B$  downstream is given as

$$u = \begin{cases} V_m \frac{y}{\delta}, & 0 \leq y \leq \delta \\ V_m, & \delta \leq y \leq H - \delta \\ V_m \frac{H-y}{\delta}, & H - \delta \leq y \leq H \end{cases}$$



The ratio  $V_m / u_0$  is

- A. 1
- B.  $\frac{1}{1-2(\delta/H)}$
- C.  $\frac{1}{1+(\delta/H)}$
- D.  $\frac{1}{1-(\delta/H)}$

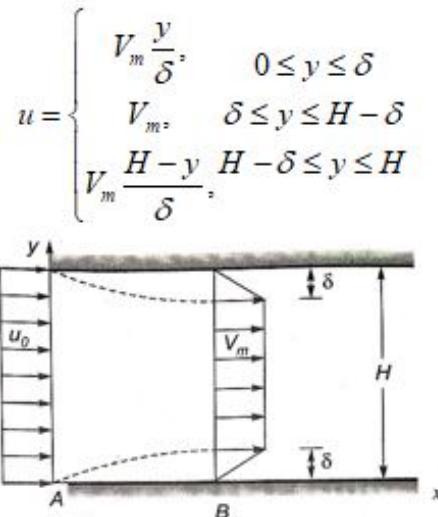
Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 10 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

A steady incompressible flow through a channel as shown below. The velocity profile is uniform with a value of  $u_0$  at the inlet section  $A$ . The velocity profile at section  $B$  downstream is given as



The ratio  $\frac{p_A - p_B}{\frac{1}{2} \rho u_0^2}$  (where  $p_A$  and  $p_B$  are the pressures at section  $A$  and  $B$ , respectively, and  $\rho$  is the density of the fluid) is

and  $\rho$  is the density of the fluid) is

- A.  $\frac{1}{[1 - (\delta/H)]^2}$
- B.  $\frac{1}{(1 - (\delta/H))^2} - 1$
- C.  $\frac{1}{[1 - (2\delta/H)]^2}$
- D.  $\frac{1}{(1 - (2\delta/H))^2} - 1$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Q.5

W

Question Number : 11 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a steady, two-dimensional, incompressible flow over a flat plate at zero angle of incidence with respect to the uniform free stream of velocity  $U_\infty$ . Assuming the

boundary layer theory to be valid, which among the following is the MOST SIMPLIFIED form of the linear momentum equation governing this flow field?

- A.  $\rho \left( \frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} \right) = -\frac{dp_\infty}{dx} + \mu \frac{\partial^2 u}{\partial y^2}$
- B.  $\rho \left( u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} \right) = -\frac{dp_\infty}{dx} + \mu \frac{\partial^2 u}{\partial y^2}$
- C.  $\rho \left( u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} \right) = \mu \frac{\partial^2 u}{\partial y^2}$
- D.  $\rho \frac{\partial u}{\partial t} = \mu \frac{\partial^2 u}{\partial y^2}$

Options :

1. 1
2. 2
3. 3
4. 4

Question Number : 12 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a steady, two-dimensional, incompressible flow over a flat plate of length  $L$  at zero angle of incidence with respect to the uniform free stream of velocity  $U_\infty$ .

Assuming the boundary layer theory to be valid, which among the following scaling relations between the non-dimensional boundary layer thickness and the Reynolds

number,  $Re_L = \frac{\rho U_\infty L}{\mu}$  is correct?

- A.  $\frac{\delta}{L} \propto \sqrt{Re_L}$
- B.  $\frac{\delta}{L} \propto \frac{1}{\sqrt{Re_L}}$
- C.  $\frac{\delta}{L} \propto \frac{1}{Re_L}$
- D.  $\frac{\delta}{L} \propto \frac{1}{Re_L^2}$

Options :

1. 1
2. 2
3. 3
4. 4

Question Number : 13 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0



- A.  $\sqrt{x}$
- B.  $\frac{1}{\sqrt{x}}$
- C.  $x^2$
- D.  $\frac{1}{x^2}$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 14 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a steady, two-dimensional, incompressible flow over a flat at zero angle of incidence with respect to the uniform free stream. The boundary layer thickness is 1 mm at a location where the local Reynolds number is 1000. If the free stream velocity of the flow alone is increased by a factor of 4, then the boundary layer thickness at the same location, in mm will be

- A. 0.25
- B. 0.5
- C. 2
- D. 4

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 15 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider laminar flow of water over a flat plate of length 1 m. If the boundary layer thickness at a distance of 0.2 m from the leading edge of the plate is 8 mm, the boundary layer thickness (in mm), at a distance of 0.8 m from the leading edge is

- A. 10
- B. 12
- C. 16
- D. 32

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 16 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

steady, two-dimensional, incompressible flow over a flat plate at zero angle of incidence with respect to the uniform free stream of velocity  $U_\infty$ . Assume the

boundary layer theory to be valid. Which among the following conditions is satisfied by this flow field?

- A. At  $y = 0$ ,  $u = 0$
- B. At  $y = 0$ ,  $u = U_\infty$
- C. As  $y \rightarrow 0$ ,  $\frac{\partial u}{\partial y} \rightarrow \infty$
- D. None of the above

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 17 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a steady, two-dimensional, incompressible flow over a flat plate at zero angle of incidence with respect to the uniform free stream of velocity  $U_\infty$ . Assume the boundary layer theory to be valid. Which among the following conditions is satisfied by this flow field?

- A. As  $y \rightarrow \infty$ ,  $u \rightarrow 0$
- B. As  $y \rightarrow \infty$ ,  $\frac{\partial u}{\partial y} \rightarrow 0$
- C. As  $y \rightarrow \infty$ ,  $\mu \frac{\partial u}{\partial y} \rightarrow \frac{0.332 \rho U_\infty^2}{\sqrt{Re_x}}$
- D. None of the above

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 18 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a steady, two-dimensional, incompressible flow over a flat plate at zero angle of incidence with respect to the uniform free stream of velocity  $U_\infty$ . Which among the following conditions is satisfied by this flow field?

- A. As  $y \rightarrow 0$ ,  $\frac{\partial u}{\partial y} \rightarrow \infty$
- B. At  $y = 0$ ,  $\frac{\partial^2 u}{\partial y^2} = 0$
- C. As  $y \rightarrow \infty$ ,  $\mu \frac{\partial^2 u}{\partial y^2} \rightarrow \frac{0.664 \rho U_\infty^2}{x \sqrt{Re_x}}$
- D. None of the above

1. 1

2. 2

3. 3

4. 4

Question Number : 19 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Choose the expression for the displacement thickness,  $\delta^*$  of the boundary layer for flow over a flat plate

A.  $\delta^* = \int_0^{\infty} \left(1 - \frac{u}{u_{\infty}}\right) dy$

B.  $\delta^* = \int_0^{\infty} \frac{u}{u_{\infty}} dy$

C.  $\delta^* = \int_0^{\infty} \frac{u}{u_{\infty}} \left(1 - \frac{u}{u_{\infty}}\right) dy$

D.  $\delta^* = \int_0^{\infty} \left(\frac{u}{u_{\infty}}\right)^2 dy$

Options :

1. 1

2. 2

3. 3

4. 4

Question Number : 20 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Choose the expression for the momentum thickness,  $\theta$  of the boundary layer for flow over a flat plate

A.  $\theta = \int_0^{\infty} \left(1 - \frac{u}{u_{\infty}}\right) dy$

B.  $\theta = \int_0^{\infty} \frac{u}{u_{\infty}} dy$

C.  $\theta = \int_0^{\infty} \frac{u}{u_{\infty}} \left(1 - \frac{u}{u_{\infty}}\right) dy$

D.  $\theta = \int_0^{\infty} \left(\frac{u}{u_{\infty}}\right)^2 dy$

Options :

1. 1

2. 2

3. 3

4. 4

Question Number : 21 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

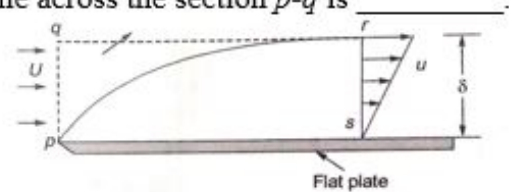
$\delta^*$  denote the displacement thickness and  $\theta$  denote the momentum thickness of the boundary layer.  $x$  is the axial coordinate along the length of the plate measured from the leading edge. Which among the following equations correctly represents the momentum integral equation for the boundary layer?

- A.  $\frac{\tau_w}{\rho U_\infty^2} = \frac{d}{dx}(\theta + \delta^*)$
- B.  $\frac{\tau_w}{\rho U_\infty^2} = \frac{d}{dx}(2\theta + \delta^*)$
- C.  $\frac{\tau_w}{\rho U_\infty^2} = \frac{d\delta^*}{dx}$
- D.  $\frac{\tau_w}{\rho U_\infty^2} = \frac{d\theta}{dx}$

- Options :
1. 1
  2. 2
  3. 3
  4. 4

Question Number : 22 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical Correct Marks : 2 Wrong Marks : 0

A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The mass flow rate into the control volume across the section  $p-q$  is

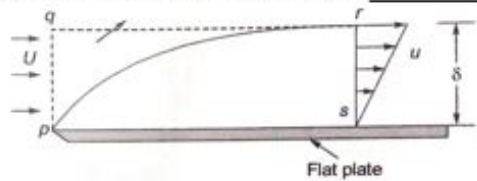


- A. 0
- B.  $\frac{\rho U_\infty \delta w}{2}$
- C.  $\frac{\rho U_\infty \delta w}{4}$
- D.  $\rho U_\infty \delta w$

- Options :
1. 1
  2. 2
  3. 3
  4. 4

Question Number : 23 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical Correct Marks : 2 Wrong Marks : 0

constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The mass flow rate out of the control volume across the section  $r-s$  is \_\_\_\_\_.



- A.  $\rho U_\infty \delta w$
- B.  $\frac{\rho U_\infty \delta w}{2}$
- C.  $\frac{\rho U_\infty \delta w}{4}$
- D. 0

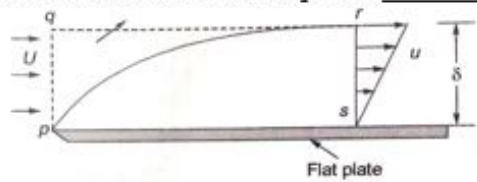
Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 24 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The mass flow rate into of the control volume across the section  $p-s$  is \_\_\_\_\_.



- A. 0
- B.  $\rho U_\infty \delta w$
- C.  $\frac{\rho U_\infty \delta w}{2}$
- D.  $\frac{\rho U_\infty \delta w}{4}$

Options :

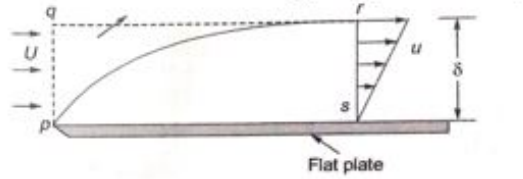
- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 25 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0



constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The mass flow rate out of the control volume across the section  $q-r$  is \_\_\_\_\_.



- A. 0
- B.  $\frac{3\rho U_\infty \delta w}{4}$
- C.  $\frac{\rho U_\infty \delta w}{2}$
- D.  $\frac{\rho U_\infty \delta w}{4}$

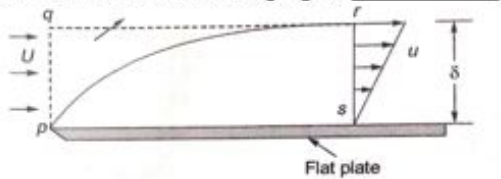
Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 26 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The momentum flux into the control volume across the section  $p-q$  is \_\_\_\_\_.



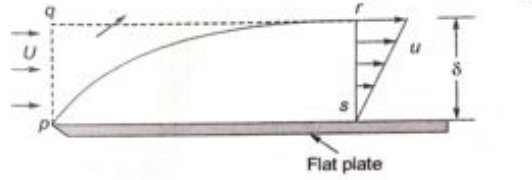
- A.  $\rho U_\infty^2 \delta w$
- B.  $\frac{\rho U_\infty^2 \delta w}{2}$
- C.  $\frac{\rho U_\infty^2 \delta w}{3}$
- D. 0

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Correct Marks : 2 Wrong Marks : 0

A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The momentum flux out of the control volume across the section  $r-s$  is \_\_\_\_\_.



- A.  $\rho U_\infty^2 \delta w$
- B.  $\frac{\rho U_\infty^2 \delta w}{2}$
- C.  $\frac{\rho U_\infty^2 \delta w}{3}$
- D. 0

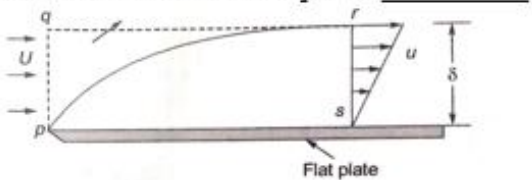
Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 28 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The momentum flux into of the control volume across the section  $p-s$  is \_\_\_\_\_.



- A.  $\rho U_\infty^2 \delta w$
- B.  $\frac{\rho U_\infty^2 \delta w}{2}$
- C.  $\frac{\rho U_\infty^2 \delta w}{3}$
- D. 0

Options :

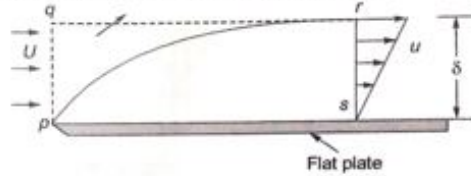
- 1. 1
- 2. 2
- 3. 3

Question Number : 29 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The momentum

flux out of the control volume across the section  $q-r$  is \_\_\_\_\_.



- A. 0
- B.  $\frac{\rho U_\infty^2 \delta w}{2}$
- C.  $\frac{\rho U_\infty^2 \delta w}{3}$
- D.  $\frac{\rho U_\infty^2 \delta w}{6}$

Options :

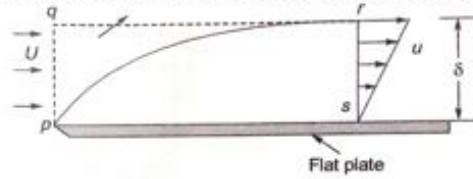
- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 30 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

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A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . The magnitude of the drag force exerted by the fluid on the plate is given by \_\_\_\_\_.



- A.  $\frac{\rho U_\infty^2 \delta w}{2}$
- B.  $\frac{\rho U_\infty^2 \delta w}{4}$
- C.  $\frac{\rho U_\infty^2 \delta w}{3}$
- D.  $\frac{\rho U_\infty^2 \delta w}{6}$

Options :

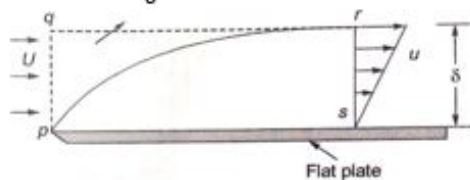
- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 31 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r-s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . If  $\delta^*$  is the local

displacement thickness, the value of  $\frac{\delta^*}{\delta}$  is



- A.  $\frac{1}{2}$
- B.  $\frac{1}{4}$
- C.  $\frac{1}{3}$
- D.  $\frac{1}{6}$

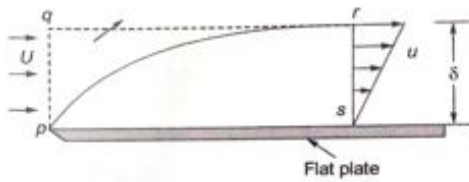
Options :

- 1. 1
- 2. 2

Question Number : 32 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

A fluid of constant density  $\rho$  flows over a stationary, smooth flat plate with an incipient free stream velocity  $U_\infty$  as shown in the figure. The thickness of the boundary layer at the section  $r$ - $s$  is  $\delta$ . The velocity distribution within the boundary layer is approximated by  $\frac{u}{U_\infty} = \frac{y}{\delta}$ . The plate width perpendicular to the plane of figures is  $w$ . If  $\theta$  is the local momentum thickness, the value of  $\frac{\theta}{\delta}$  is



- A.  $\frac{1}{2}$
- B.  $\frac{1}{4}$
- C.  $\frac{1}{3}$
- D.  $\frac{1}{6}$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 33 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a constant property Newtonian fluid that occupies the region above a single, infinite plane boundary. The fluid is initially stationary. Beginning at time  $t=0$ , this boundary oscillates back and forth in its own plane with a velocity  $U_0 \cos(\omega t)$ . Which among the following is the MOST SIMPLIFIED form of the linear momentum equation governing this flow field?

- A.  $\rho \left( \frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} \right) = \mu \frac{\partial^2 u}{\partial y^2}$
- B.  $\rho \left( u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} \right) = \mu \frac{\partial^2 u}{\partial y^2}$
- C.  $\rho \frac{\partial u}{\partial t} = \mu \frac{\partial^2 u}{\partial y^2}$
- D.  $\rho \left( \frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} \right) = \mu \frac{\partial^2 u}{\partial y^2}$



1. 1
2. 2
3. 3
4. 4

Question Number : 34 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a constant property Newtonian fluid that occupies the region above a single, infinite plane boundary. The fluid is initially stationary. Beginning at time  $t=0$ , this boundary oscillates back and forth in its own plane with a velocity  $U_0 \cos(\omega t)$ . Which

among the following conditions is satisfied by this flow field?

- A. At  $y=0$ ,  $u = U_0 \cos(\omega t)$
- B. At  $y=0$ ,  $u = U_0 \sin(\omega t)$
- C. At  $y=0$ ,  $u = U_0$
- D. At  $y=0$ ,  $u = 0$

Options :

1. 1
2. 2
3. 3
4. 4

Question Number : 35 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Consider a constant property Newtonian fluid that occupies the region above a single, infinite plane boundary. The fluid is initially stationary. Beginning at time  $t=0$ , this boundary oscillates back and forth in its own plane with a velocity  $U_0 \cos(\omega t)$ . Which

among the following conditions is satisfied by this flow field?

- A. As  $y \rightarrow \infty$ ,  $u \rightarrow U_0 \cos(\omega t)$
- B. As  $y \rightarrow \infty$ ,  $u \rightarrow U_0 \sin(\omega t)$
- C. As  $y \rightarrow \infty$ ,  $u \rightarrow U_0$
- D. As  $y \rightarrow \infty$ ,  $u \rightarrow 0$

Options :

1. 1
2. 2
3. 3
4. 4

Question Number : 36 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

a constant property Newtonian fluid that occupies the region above a single, infinite plane boundary. The fluid is initially stationary. Beginning at time  $t=0$ , this boundary oscillates back and forth in its own plane with a velocity  $U_0 \cos(\omega t)$ . Which

among the following conditions is satisfied by this flow field?

- A. At  $t = 0$ ,  $u = U_0$  everywhere
- B. At  $t = 0$ ,  $u = -U_0$  everywhere
- C. At  $t = 0$ ,  $u = 0$  everywhere
- D. None of the above

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 37 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

An initially stationary infinite flat plate is assumed to begin suddenly translating in its own plane with a velocity  $U_0$  at time  $t=0$  through an initially stationary unbounded fluid. The flat plate is assumed to occupy the  $xz$ -plane, with the initially stationary fluid occupying the upper half space,  $y > 0$ . Which among the following is the MOST SIMPLIFIED form of the linear momentum equation governing this flow field?

- A.  $\rho \frac{\partial u}{\partial t} = \mu \frac{\partial^2 u}{\partial y^2}$
- B.  $\rho \left( u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} \right) = \mu \frac{\partial^2 u}{\partial y^2}$
- C.  $\rho \left( \frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} \right) = \mu \frac{\partial^2 u}{\partial y^2}$
- D.  $\rho \left( \frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} \right) = \mu \frac{\partial^2 u}{\partial y^2}$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 38 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

An initially stationary infinite flat plate is assumed to begin suddenly translating in its own plane with a velocity  $U_0$  at time  $t=0$  through an initially stationary unbounded fluid. The flat plate is assumed to occupy the  $xz$ -plane, with the initially stationary fluid occupying the upper half space,  $y > 0$ . A similarity solution for the velocity field is given as:

$$\frac{u}{U_0} = f(\eta)$$

where  $\eta = y t^n$ . The value of the exponent  $n$  is

- A. -2
- B. 2
- C.  $\frac{1}{2}$
- D.  $-\frac{1}{2}$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 39 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

An initially stationary infinite flat plate is assumed to begin suddenly translating in its own plane with a velocity  $U_0$  at time  $t=0$  through an initially stationary unbounded fluid. The flat plate is assumed to occupy the  $xz$ -plane, with the initially stationary fluid occupying the upper half space,  $y > 0$ . The velocity at a distance  $d$  above the plate at a time  $t_1$  is equal to  $\frac{U_0}{2}$ . At time  $t_2 (> t_1)$  the velocity will be equal to  $\frac{U_0}{2}$  at a distance  $d_2$  above the plate. The relation between  $d_2$  and  $d_1$  is

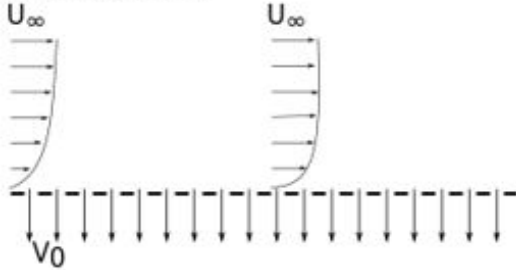
- A.  $\frac{d_2}{d_1} = \sqrt{\frac{t_2}{t_1}}$
- B.  $\frac{d_2}{d_1} = \sqrt{\frac{t_1}{t_2}}$
- C.
- D.  $\frac{d_2}{d_1} = \left(\frac{t_1}{t_2}\right)^2$
- E.  $\frac{d_2}{d_1} = \left(\frac{t_2}{t_1}\right)^2$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4
- 5. 5

Correct Marks : 2 Wrong Marks : 0

Fluid flows over a flat plate with a free stream velocity of  $U_\infty$  as shown in the figure. Simultaneously fluid is also sucked out of the plate with a uniform velocity  $V_0$ . As a result, the velocity profile over the plate does not change with the axial ( $x$ ) direction. Which among the following is the MOST SIMPLIFIED form of the linear momentum equation governing this flow field?



- A.  $\rho \frac{\partial u}{\partial t} = \mu \frac{\partial^2 u}{\partial y^2}$
- B.  $\mu \frac{d^2 u}{dy^2} - \rho V_0 \frac{du}{dy} = 0$
- C.  $\mu \frac{d^2 u}{dy^2} + \rho V_0 \frac{du}{dy} = 0$
- D.  $\mu \frac{d^2 u}{dy^2} = 0$

Options :

1. 1
2. 2
3. 3
4. 4

Question Number : 41 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

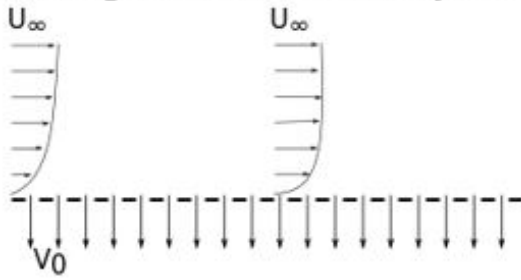
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Fluid flows over a flat plate with a free stream velocity of  $U_\infty$  as shown in the figure.

Simultaneously fluid is also sucked out of the plate with a uniform velocity  $V_0$ . As a

result, the velocity profile over the plate does not change with the axial ( $x$ ) direction.

Which among the following conditions is satisfied by this flow field?



- A. At  $y=0$ ,  $u=U_\infty$  and  $v=0$
- B. At  $y=0$ ,  $u=U_\infty$  and  $v=-V_0$
- C. At  $y=0$ ,  $u=0$  and  $v=0$
- D. At  $y=0$ ,  $u=0$  and  $v=-V_0$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 42 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

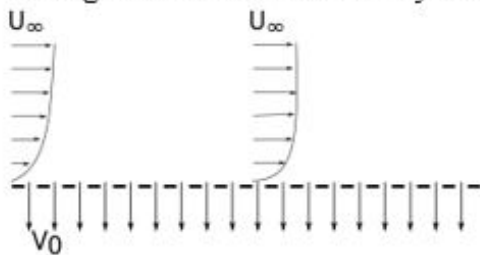
Correct Marks : 2 Wrong Marks : 0

Fluid flows over a flat plate with a free stream velocity of  $U_\infty$  as shown in the figure.

Simultaneously fluid is also sucked out of the plate with a uniform velocity  $V_0$ . As a

result, the velocity profile over the plate does not change with the axial ( $x$ ) direction.

Which among the following conditions is satisfied by this flow field?



- A. As  $y \rightarrow \infty$ ,  $u \rightarrow 0$  and  $v \rightarrow 0$
- B. As  $y \rightarrow \infty$ ,  $u \rightarrow 0$  and  $v \rightarrow -V_0$
- C. As  $y \rightarrow \infty$ ,  $u \rightarrow U_\infty$  and  $v \rightarrow 0$
- D. As  $y \rightarrow \infty$ ,  $u \rightarrow U_\infty$  and  $v \rightarrow -V_0$

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4



Fluid flows over a flat plate with a free stream velocity of  $U_\infty$  as shown in the figure. Simultaneously fluid is also sucked out of the plate with a uniform velocity  $V_0$ . As a result, the velocity profile over the plate does not change with the axial ( $x$ ) direction. Which among the following correctly represents the velocity field for this flow?

- A.  $u = U_\infty \exp\left(-\frac{V_0 y}{\nu}\right); \quad v = -V_0$
- B.  $u = U_\infty \exp\left(-\frac{V_0 y}{\nu}\right); \quad v = 0$
- C.  $u = U_\infty \left(1 - \exp\left(-\frac{V_0 y}{\nu}\right)\right); \quad v = -V_0$
- D.  $u = U_\infty \left(1 - \exp\left(-\frac{V_0 y}{\nu}\right)\right); \quad v = 0$

- Options :
1. 1
  2. 2
  3. 3
  4. 4

Fluid flows over a flat plate with a free stream velocity of  $U_\infty$  as shown in the figure. Simultaneously fluid is also sucked out of the plate with a uniform velocity  $V_0$ . As a result, the velocity profile over the plate does not change with the axial ( $x$ ) direction. The magnitude of wall shear stress is given by

- A.  $\rho U_\infty V_0$
- B.  $\rho U_\infty^2$
- C.  $\frac{0.332 \rho U_\infty V_0}{\sqrt{\text{Re}_x}}$
- D.  $\frac{0.332 \rho U_\infty^2}{\sqrt{\text{Re}_x}}$

- Options :
1. 1
  2. 2
  3. 3
  4. 4

dominant forces acting on an element of fluid within the boundary layer over a flat plate in a uniform parallel stream are

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- A. Viscous and pressure forces
- B. Viscous and inertia forces
- C. Inertia and pressure forces
- D. Viscous and body forces

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 46 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

For flow past a solid object, flow separation is caused by

- A. boundary layer thickness reducing to zero
- B. favourable pressure gradient
- C. an adverse pressure gradient
- D. free stream pressure reducing to the vapour pressure

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 47 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

At the point of flow separation for flow past a solid object,

- A. Wall shear stress is zero
- B. Flow velocity is negative i.e. opposite to the free stream velocity
- C. Pressure gradient becomes zero
- D. Magnitude of wall shear stress reaches a maximum

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 48 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

the turbulent flow of a Newtonian fluid through a circular pipe of diameter,

D. Identify the correct pair of statements.

(i)	The fluid is well-mixed
(ii)	The fluid is unmixed
(iii)	$Re_D < 2300$
(iv)	$Re_D > 2300$

- A. (i) and (iii)
- B. (ii) and (iv)
- C. (i) and (iv)
- D. (ii) and (iii)

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 49 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

Prandtl's mixing length in a turbulent flow signifies

- A. the average distance perpendicular to the mean flow covered by the mixing particles
- B. the wavelength corresponding to the lowest frequency present in the flow field
- C. the magnitude of turbulent kinetic energy in the units of length
- D. the ratio of mean free path to the characteristic length of the flow field

Options :

- 1. 1
- 2. 2
- 3. 3
- 4. 4

Question Number : 50 Question Type : MCQ Option Shuffling : No Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Correct Marks : 2 Wrong Marks : 0

The instantaneous streamwise velocity of a turbulent flow is given as

$u(x, y, z, t) = \bar{u}(x, y, z, t) + u'(x, y, z, t)$ . The time average of the fluctuating velocity

$u'(x, y, z, t)$  is

- A.  $\bar{u}$
- B.  $\frac{\bar{u}}{2}$
- C.  $-\frac{\bar{u}}{2}$
- D. 0

Options :

- 1. 1
- 2. 2
- 3. 3

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