

## Instructions to the Students:

1. Figures to the right indicate marks.
2. Assume suitable data.

## Q. 1 Select the correct option.

1. \_\_\_\_\_ is a set of strings.

- a. Language      b. grammar      c. NFA      d. DFA

2. Let  $r$  and  $s$  are regular expressions denoting the languages  $R$  and  $S$ . Then  $(r+s)$  denotes \_\_\_\_\_

- a.  $RS$       b.  $R^*$       c.  $R \cup S$       d.  $R^+$

3. In transition diagrams a state pointed by an arrow represents the \_\_\_\_\_ state.

- a. final      b. interior      c. start      d. final or start

4. \_\_\_\_\_ grammar is also known as Type 3 grammar.

- a. unrestricted      b. context free      c. context sensitive      d. regular grammar

5. Grammar that produce more than one Parse tree for same sentence is:

- a. Ambiguous      b. Unambiguous      c. Complementation      d. Intersection

6.  $S \rightarrow Sab$        $S \rightarrow a$  is which grammar?

- a. Right Linear Grammar      b. Left Linear Grammar      c. Linear Grammar      d. None of the above

## Q.2 Solve Any Two of the following.

(A) Construct the DFA ( $\Sigma = 0, 1$ )

i)  $w$  = Strings starting and ending with same characters

ii)  $w$  = string with "101" as substring

(B) Consider following Grammar:

$S \rightarrow A1B$

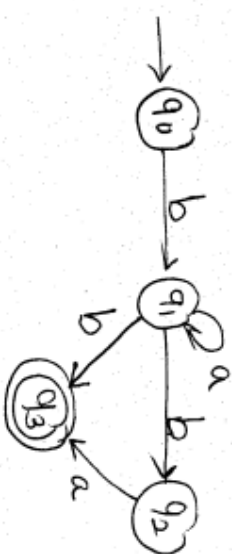
$A \rightarrow OA \mid \epsilon$

$B \rightarrow 1B \mid 0B \mid \epsilon$

Give the leftmost derivation for the inputs:

- 1) 00101      2) 1001

(C) Construct the regular Grammar for the given finite Automata:



Q.3 Solve Any One of the following.

(A) What is pumping lemma technique?

Using pumping lemma show that  $L = \{a^n b^n \mid n \geq 1\}$  is not regular language.

(B) Convert Following NFA to DFA

1)

state	0	1
$\rightarrow a$	{a,b}	{a}
b	{c}	{c}
c	{d}	-
*d	{d}	{d}

2)

state	0	1
$\rightarrow p$	{q,r}	{q}
*q	{r}	{q,r}
r	{s}	{p}
*s	-	{p}

\*\*\* End \*\*\*

www.FirstRanker.com

www.FirstRanker.com

www.FirstRanker.com