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Topic: - ECO MPHIL S2

1) A student is answering a multiple-choice examination. Suppose a question has m possible answers. The student knows the correct answer with probability p. If the student knows the correct answer, she picks it with probability 1; otherwise, she picks randomly from the choices with probability 1/m each. Given that the student picked the correct answer, the probability that she knew the correct answer is

[Question ID = 5996]

mp/[1 + (m - 1)p] [Option ID = 23978]
 mp/[1 + (1 - p)m] [Option ID = 23979]

- 3. p/[1 + (m 1)p] [Option ID = 23980]
- 4. p/[1 + (1 p)m] [Option ID = 23981]

Correct Answer :-

• mp/[1 + (m - 1)p] [Option ID = 23978]

2) A doctor testing a diagnostic tool for a rare disease wants to minimise the chance that the test will find a patient to be healthy when she is in fact sick (the null hypothesis being that the patient is healthy). The doctor should minimise the probability of

[Question ID = 5997]

- 1. Type I error, which would denote a false positive [Option ID = 23982]
- 2. Type II error, which would denote a false positive [Option ID = 23983]
- 3. Type I error, which would denote a false negative [Option ID = 23984]
- 4. Type II error, which would denote a false negative [Option ID = 23985]

Correct Answer :-

• Type I error, which would denote a false negative [Option ID = 23984]

3) A and B play a best-of-seven table-tennis match, i.e., the first to win four games will win the match. The two players are equally likely to win any of the games in the match. The probability that the match will end in 6 games is

[Question ID = 5998]

- 1. less than the probability that it will end in 7 games
- [Option ID = 23986]
- 2. equal to the probability that it will end in 7 games

[Option ID = 23987]

- 3. greater than the probability that it will end in 7 games
- [Option ID = 23988]
- 4. None of these

[Option ID = 23989]

Correct Answer :-

• equal to the probability that it will end in 7 games

[Option ID = 23987]

4) What is the probability that at least one 6 appears when 6 fair dice are rolled?

[Question ID = 5999]

- 1. (5/6)⁶ [Option ID = 23990]
- 2. 1/6 [Option ID = 23991]
- 3. 1 (5/6)⁶ [Option ID = 23992]
- 4. 5/6 [Option ID = 23993]

Correct Answer :-

• 1 - (5/6)⁶ [Option ID = 23992]

5) A family has two children. Each child is a girl with probability 1/2. If at least one child is a girl, then the probability that both children are girls is

[Question ID = 6000]

1. 1/2 [Option ID = 23994]
 2. 1/3 [Option ID = 23995]

- 3. 3/4 [Option ID = 23996]
- 4. 2/3 [Option ID = 23997]

Firstranker's choice		
[Question ID = 6001] 1. X ² and Y are independent random variables	www.FirstRanker.com	www.FirstRanker.com
[Option ID = 23998] 2. X - Y and X + Y are dependent random variables		
[Option ID = 23999] 3. X ² and Y ² are independent random variables		
[Option ID = 24000] 4. All of these [Option ID = 24001]		
Correct Answer :-		
 All of these [Option ID = 24001] 		
 7) You have a single draw from a Bernoulli [Question ID = 6002] 1. 0 [Option ID = 24002] 2. 1 [Option ID = 24003] 3. either 0 or 1 [Option ID = 24004] 4. strictly between 0 and 1 [Option ID = 24005] 	distribution. The maximum likelihood e	estimate of the probability of success p is
Correct Answer :- • either 0 or 1 [Option ID = 24004]		
8) If X and Y are independent random vari Pr[Z < 0.5] equals	ables with uniform distributions on the	e interval [0, 1], and Z = min{X, Y}, the
[Question ID = 6003]		
[Option ID = 24006] 2. 0.5		
[Option ID = 24007] 3. 0.625		
[Option ID = 24008] 4. 0.75		
[Option ID = 24009]		
Correct Answer :-		
• 0.75		
[0]		
 9) A student has the opportunity to take a score is an independent random draw from test, the student can either stop and accept student rejects his score twice and takes the maximise his expected official score, the st is less than [Question ID = 6004] 1. 50 [Option ID = 24010] 2. 62.5 [Option ID = 24011] 3. 75 [Option ID = 24012] 4. 87.5 [Option ID = 24013] 	test at most thrice. The student know the uniform distribution on the interv t it as his official score, or he can disca te test a third time, that score will be h udent will decide to be retested after	vs that each time he takes the test, his val [0, 100]. After learning his score on ard the result and retake the test. If the his official score. If his objective is to the very first test if and only if his score
Correct Answer :- • 50 [Option ID = 24010]		
10) Suppose four fair coins are tossed simu	Iltaneously. Suppose E is the event "th	e number of Heads strictly exceeds
the number of rails and r is the event of	e number of rails suricity exceeds the	inditiber of fleads . What is the probabil
of the event E U F ? [Ouestion ID = 60051		
of the event E U F ? [Question ID = 6005] 1. 5/8 [Option ID = 24014] 2. 4/25		

	A Stanker.com
11) p ∈	Firstranker's choice Suppose X and Y are independent random Willing First Ranker GAM distributions for the some (0,1). What is the probability of the event: X ² >1 and Y ³ <-1?
[Que	estion ID = 6006]
[0 2. p ²	otion ID = 24018]
[O 3. 2p	ption ID = 24019]
[O 4. 3p	ption ID = 24020]
[0	ption ID = 24021]
Corre • 2p	et Answer :-
0]	btion ID = 24020]
12) of to valu [Que 1. 1 2. 2 3. 3 4. 4	A coin toss has possible outcomes H and T with probabilities 3/4 and 1/4 respectively. A gambler observes a sequence sses of this coin until H occurs. If the first H occurs on the n-th toss, then the gambler's prize is 2 ⁿ . The expected e of the gambler's prize is stion ID = 6007] Option ID = 24022] Option ID = 24023] Option ID = 24024] Option ID = 24025]
Corre • 3 [ct Answer :- Option ID = 24024]
13) func the [Que 1. Y = 2. Y = 3. Y = 4. Y =	Let $w = W/P$ be the real wage rate, where W is the nominal wage rate and P is the aggregate price level. The demand tion for labour is $D(w) = 1 - w$ and the supply function of labour is $S(w) = w$. If N is the employment level, then $f(N)$ is aggregate output. If the nominal wage adjusts to clear the labour market, then the aggregate supply curve is given by estion ID = 6008] P f(N) [Option ID = 24026] f(N) [Option ID = 24027] P f(1/2) [Option ID = 24028] f(1/2) [Option ID = 24029]
Corre • Y =	ect Answer :- f (1/2) [Option ID = 24029]
14)	Suppose a consumer lives for two periods and chooses consumptions C1 and C2 to maximize utility $\sigma = \sigma^{-1}$
$u(C_t)$	$=\frac{\sigma}{\sigma-1}(\mathcal{C}_t \sigma - 1)$
Futu is	re consumption is discounted by $_ ho$. The intertemporal elasticity of substitution in consumption between the two periods
[Que 1. (σ	estion ID = 6009] $(-1)/\sigma$
[0 2	ption ID = 24030]
-· σ [0 3. 1	ption ID = 24031]
[0 4. <mark>0</mark> /	btion ID = 24032] $(\sigma - 1)$
[0	ption ID = 24033]
Corre	ct Answer :-
• σ	
<u>[O</u>	ארוח ווע = 24031

15) Suppose the economy-wide union sets wag WWW FIGSTRADKes. SOM $_{P^e(Z-\alpha u)}$ with unemployment rate $_u$ and labor force of the economy $_L$. The producer levies price over wage $_W$ with mark-up $_m$ as $_{P=(1+m)W}$. If each employed

Question DS= 6010 er s choice	www.FirstRanker.com	www.FirstRanker.com
1. $P = P^e(1+m)(Z - \alpha + \alpha Y/L)$		
[Option ID = 24034]		
$P = -P^{*}(1+m)(Z - \alpha + \alpha Y/L)$		
[Option ID = 24035] $3 \cdot P = -P^{e}(1+m)(Z-1+\alpha Y/L)$		
[Option ID = 24036]		
4. $P = P^{e}(1+m)(Z-1+\alpha Y/L)$		
[Option ID = 24037]		
Correct Answer :-		
• $P = P^{\varepsilon}(1+m)(Z - \alpha + \alpha Y/L)$		
[Option ID = 24034]		
16) Which of the following would mak	e the LM curve flatter in the (Y, r) space?	
[Question ID = 6011]	lemand	
[Option ID = 24038]		
2. An increase in interest sensitivity of planned	l investment	
[Option ID = 24039] 3. An increase in the marginal propensity to co	nsume	
[Option ID = 24040]		
4. An increase in the interest sensitivity of mor	ney demand	
[Option ID = 24041]		
Correct Answer :-		
An increase in the interest sensitivity of mor [Option ID 24041]	ley demand	
17) In the Mundell-Fleming model with	n fixed exchange rates and perfect capital m	nobility, an increase in government
[Question ID = 6012]		
1. a deterioration in the trade balance [Option	ID = 24042]	
 an improvement in the trade balance [Option no change in the trade balance [Option ID = 2] 	24044]	
4. an increase in export without affecting impo	orts [Option ID = 24045]	
Correct Answer :-	240421	
• a deterioration in the trade balance [Option	ID = Z404Z]	
18) Suppose that the mark-up over cost wage-setting equation is $W = P(1 - u)$ (wh unemployment is:	is 25% for a representative firm in an economy ere, $u =$ the unemployment rate, $p =$ Price and	with labour being the single factor; and the $_W$ = wage rate). Then the natural rate of
[Question ID = 6013]		
[Option ID = 24046] 2. 17%		
[Option ID = 24047]		
3. 13%		
[Uption ID = 24048] 4. 10%		
[Option ID = 24049]		
Correct Answer :-		
• 20%		
[Option ID = 24046]		

maximizes the steady state level of *per capita* consumption equals

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[Option ID = 24050]	www.FirstRanker.com	www.FirstRanker.com
[Option ID = 24051] 3 $1/(1 + \delta)$		
[Option ID = 24052] 4 None of these		
[Option ID = 24053]		
Correct Answer :- • 1/2 [Option ID = 24051]		
20) A consumer lives for periods 1 and 2	2. Her lifetime utility function is	
$U(c_1, c_2) = u(c_1) + u(c_2)/(1+\rho).$,	
She earns w_1 and w_2 in the two periods, $c_1 + c_2/(1+r) = w_1 + w_2/(1+r)$ Let $u(c_t) = c_t^{1-\sigma}/(1-\sigma)$ for $t = 1, 2$. If $r \ge \rho$, t	and her consumptions c_1 and c_2 satisfy a lif	etime budget constraint
[Ouestion ID = 6015]		
$\frac{1}{c_1} \ge c_2$		
[Option ID = 24054]		
$c_1 \leq c_2$		
[Option ID = 24055] 3. c. = c.		
$c_1 = c_2$ [Option ID = 24056]		
4. None of these		
[Option ID = 24057]		
Correct Answer :-		
• $c_1 \leq c_2$		
[Option ID = 24055]		
21) Consider the Solow model with a po depreciation. Let k^* be the steady state	sitive savings rate, positive population grov capital-labour ratio.	wth rate, and positive rate of
Suppose k_1 and k_2 are capital-labour ratio k_1 and k_2 respectively. Then	and $g_1 < k_2 < k^*$. Let g_1 and g_2 be t	he growth rates of per capita output a
[Question ID = 6016]		
1. $g_1 > g_2$		
[Option ID = 24058]		
2. $g_1 = g_2$		
[Uption ID = 24059] 3. $a_1 < a_2$		
[Option ID = 24060] 4. None of these		
[Option ID = 24061]		
Correct Answer :-		
• g ₁ > g ₂		
[Option ID = 24058]		
22) Consider a small open economy with	perfect capital mobility. If there is a posit	tive productivity shock in the economy.
22) Consider a small open economy with then	n perfect capital mobility. If there is a posit	ive productivity shock in the economy,
22) Consider a small open economy with then [Question ID = 6017]	n perfect capital mobility. If there is a posit	ive productivity shock in the economy,



2. $(\alpha - c)^2/4$

[Option ID = 24081] (a - c) ² /2 [Option ID = 24078] (a - c) ² /2 [Option ID = 24078] (c, d) $\in \mathfrak{R}^2_+$ such that $(a, b) \geq$ undle, the first entry is a quantity of $_X$ and the positive the following claims: In a competitive e Both prices must be positive, and The sum of the allocations to 1 and 2 must eq hich of the following statements is correct? (uestion ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	gents, 1 and 2, and two goods, X a (c,d) and (a,b) \neq (c,d), agent 1 strict resecond one is a quantity of Y .) equilibrium for this economy, qual the sum of their endowments	and _Y . Each agent's consumption set is ₉ ctly prefers _(a,b) . (In any commodity
prrect Answer :- $(\alpha - c)^2/2$ [Option ID = 24078] (Option ID = 24078] (Option ID = 24078] (Option ID = 24078] (C, d) $\in \mathfrak{R}^2_+$ such that $(a, b) \geq 1$ and the first entry is a quantity of $_X$ and the possider the following claims: In a competitive e Both prices must be positive, and The sum of the allocations to 1 and 2 must eq hich of the following statements is correct? (Question ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	gents, 1 and 2, and two goods, χ a (c , d) and (a , b) \neq (c , d), agent 1 strict e second one is a quantity of χ .) equilibrium for this economy, qual the sum of their endowments	and _Y . Each agent's consumption set is _M ctly prefers _(a,b) . (In any commodity
($(a - c)^2/2$ [Option ID = 24078] () Consider an exchange economy with two agiven bundles (a,b) , $(c,d) \in \Re^2_+$ such that $(a,b) \ge$ indle, the first entry is a quantity of $_X$ and the possider the following claims: In a competitive e Both prices must be positive, and The sum of the allocations to 1 and 2 must eq hich of the following statements is correct? Puestion ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	gents, 1 and 2, and two goods, X a (c,d) and $(a,b) \neq (c,d)$, agent 1 strict second one is a quantity of Y .) equilibrium for this economy, qual the sum of their endowments	nd y. Each agent's consumption set is ភ្ ctly prefers _(a,b) . (In any commodity
[Option ID = 24078] 7) Consider an exchange economy with two agiven bundles (a,b) , $(c,d) \in \mathfrak{N}_{+}^{2}$ such that $(a,b) \geq$ undle, the first entry is a quantity of $_{X}$ and the consider the following claims: In a competitive e Both prices must be positive, and The sum of the allocations to 1 and 2 must equivalent of the following statements is correct? Question ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	gents, 1 and 2, and two goods, x a (c,d) and $(a,b) \neq (c,d)$, agent 1 strict second one is a quantity of y .) equilibrium for this economy, gual the sum of their endowments	and _Y . Each agent's consumption set is _M ctly prefers _(a, b) . (In any commodity
7) Consider an exchange economy with two aging ven bundles (a,b) , $(c,d) \in \mathfrak{N}_{+}^{2}$ such that $(a,b) \geq 0$ and the first entry is a quantity of $_{X}$ and the positive the following claims: In a competitive element of the following claims: In a competitive element of the following statements is correct? Suestion ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	gents, 1 and 2, and two goods, x a (c , d) and (a , b) \neq (c , d), agent 1 strict e second one is a quantity of y .) equilibrium for this economy, qual the sum of their endowments	and _Y . Each agent's consumption set is _M ctly prefers _(a,b) . (In any commodity
7) Consider an exchange economy with two as ven bundles (a,b) , $(c,d) \in \mathfrak{R}^2_+$ such that $(a,b) \geq$ undle, the first entry is a quantity of $_X$ and the onsider the following claims: In a competitive e Both prices must be positive, and The sum of the allocations to 1 and 2 must eq hich of the following statements is correct? Question ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	gents, 1 and 2, and two goods, X a (c,d) and $(a,b) \neq (c,d)$, agent 1 strict e second one is a quantity of Y .) equilibrium for this economy, qual the sum of their endowments	nd y. Each agent's consumption set is $ វ$
bonsider the following claims: In a competitive e Both prices must be positive, and The sum of the allocations to 1 and 2 must eq hich of the following statements is correct? Suestion ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	equilibrium for this economy, gual the sum of their endowments	
Both prices must be positive, and The sum of the allocations to 1 and 2 must eq hich of the following statements is correct? Question ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	jual the sum of their endowments	
The sum of the allocations to 1 and 2 must echich of the following statements is correct? Question ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]	jual the sum of their endowments	
hich of the following statements is correct? Question ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]		
Question ID = 6022] I and II are true [Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]		
[Option ID = 24082] I and II are false [Option ID = 24083] I is true, but II is false [Option ID = 24084]		
[Option ID = 24083] I is true, but II is false [Option ID = 24084]		
[Option ID = 24084]		
l is false, but II is true		
[Option ID = 24085]		
rrect Answer :-		
I and II are true		
[Option ID = 24082]		
3) Consider the following game. Player 1 moves first	and chooses L or R . If she plays R , the	
game ends and the payoffs are (10, 0). If she plays L , to or \mathbf{p} , if he plays \mathbf{p} the game ends and the payoff	then player 2 moves and chooses either <u>L</u>	
moves and chooses either L or R. The game ends in the	both cases. If player 1 chooses L, then the	
payoffs are (30, 30). If she chooses R , then the payoffs	s are (40, 0). This game	
Juestion ID = 60231		
has a subgame perfect equilibrium in which 2 plays $_L$		
[Option ID = 24086]		
has three subgame perfect equilibria		
has a unique Nash equilibrium outcome		
[Option ID = 24088]		
has a unique Nash equilibrium		
rrect Answer :-		
[Option ID = 24088]		
[0]		
) Duopolist firms 1 and 2 sell a homogeneous	good in a market with demand fur	nction $Q = 100 - 2P$, where Q is the
antity demanded at price P. Firms 1 and 2 ha	ve constant marginal costs of 0 ar	nd 30 respectively. The firms
the consumers buy from firm 1. Firm 1's equi	librium price is	ower, it the firms choose the same price
· · · · · · · · · · · · · · · · · · ·	·	
uestion ID = 6024]		

rstRanker.com tranker's choice www.FirstRanker.com www.FirstRanker.com [Option ID = 24093] Correct Answer :-• 25 [Option ID = 24092] **30)** A monopolist can produce a good in two factories with individual cost functions $c_1(q_1) = 9q_1^2$ and $c_2(q_2) = 18q_2^2$ respectively, where q_1 and q_2 are the outputs in factories 1 and 2. Let $q = q_1 + q_2$ denote the monopolist's total output. The monopolist's cost function c(q) is given by [Question ID = 6025] 1. $6q^2$ [Option ID = 24094] 2. $9q^2$ [Option ID = 24095] 3. 27 $\frac{1}{2}q^2$ [Option ID = 24096] 4. 18g² [Option ID = 24097] Correct Answer :-• 6q² [Option ID = 24094] 31) A monopolist with unknown cost function faces the demand function q = 90 - 3P. Which of the following choices of output cannot be a profit maximising choice? [Question ID = 6026] 1. 20 [Option ID = 24098] 2. 30 [Option ID = 24099] 3. 40 [Option ID = 24100] 4. 50 [Option ID = 24101] Correct Answer :-• 50 [Option ID = 24101] 32) Persons 1, 2 and 3 have to divide 12 indivisible chocolates among themselves. Each person's preference is strictly increasing in chocolates. The procedure for dividing the chocolates is as follows. Person 1 proposes a division. Each person votes either Y (Yes) or N (No). If at least two persons vote Y, then the proposal is implemented. If not, then Person 1 is eliminated from the voting and Person 2 makes a proposal. Now, only persons 2 and 3 can vote Y or N. If at least one of them votes Y, then Person 2's proposal is implemented. Otherwise, Person 3 makes a proposal, which will be implemented. What division of chocolates will occur from a subgame perfect equilibrium of this game? (Assume that a person votes N if voting γ and N are expected to result in the same number of chocolates for that person.) [Question ID = 6027] 1. 1 gets 12, 2 gets 0, 3 gets 0 [Option ID = 24102] 2. 1 gets 4, 2 gets 4, 3 gets 4 [Option ID = 24103] 3. 1 gets 11, 2 gets 1, 3 gets 0 [Option ID = 24104] 4. 1 gets 11, 2 gets 0, 3 gets 1

[Option ID = 24105]

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33) Persons 1, 2 and 3 have to divide 12 indivisible chocolates among themselves. Each person's preference is strictly increasing in chocolates. The procedure for dividing the chocolates is as follows. Person 1 proposes a division. Each person votes either $\frac{Y}{Y}$ (Yes) or $\frac{Y}{N}$ (No). If at least two persons vote $\frac{Y}{Y}$, then the proposal is implemented. If not, then Person 1 is eliminated from the voting and Person 2 makes a proposal.

Now, only persons 2 and 3 can vote \overline{y} or \overline{N} . If both the remaining voters, 2 and 3, vote \overline{y} , then Person 2's proposal is implemented. Otherwise, Person 3 makes a proposal, which will be implemented.

What division of chocolates will occur from a subgame perfect equilibrium of this game?

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(Assume that a person votes N if voting Y and N are expected to result in the same number of chocolates for that person.)

[Question ID = 6028]

1. 1 gets 12, 2 gets 0, 3 gets 0

- [Option ID = 24106]
- 2. 1 gets 4, 2 gets 4, 3 gets 4
- [Option ID = 24107] 3. 1 gets 11, 2 gets 1, 3 gets 0
 - [Option ID = 24108]
- 4. 1 gets 11, 2 gets 0, 3 gets 1

[Option ID = 24109]

Correct Answer :-

• 1 gets 11, 2 gets 1, 3 gets 0

[Option ID = 24108]

34) Consider a country with two citizens, 1 and 2. The government is considering a scheme that will cost 100. The government does not know the true benefits of the scheme to the citizens, say B_1 and B_2 , and must decide whether to implement the scheme on the basis of their reported benefits, say R_1 and R_2 . It will implement the scheme if and only if $R_1 + R_2 \ge 100$. If it is implemented, the government will impose tax $100 - R_2$ on person 1 and tax $100 - R_1$ on person 2. Each citizen's reported benefit seeks to maximize the difference between her true benefit (known only to her) and the tax that must be paid if and only if the scheme is implemented. The optimal choices of R_1 and R_2 must be such that

[Question ID = 6029]

1. $R_1 > B_1$ and $R_2 > B_2$

[Option ID = 24110]

- ^{2.} $R_1 = B_1$ and $R_2 = B_2$ [Option ID = 24111]
- 3. $R_1 < B_1$ and $R_2 < B_2$

[Option ID = 24112]

 Nothing systematic can be said about R₁ and R₂ [Option ID = 24113]

Correct Answer :-

• $R_1 = B_1$ and $R_2 = B_2$

[Option ID = 24111]

35) The market for good X has the demand function x = 100 - 15p. There are ten price-taking firms, each having a cost function $c(q) = q^2$, where q is the firm's own output. There is no new entry. Prices and costs are in terms of rupees per unit. The equilibrium price in this market is

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[Question ID = 6030]

1. Rs. 20

[Option ID = 24114]

2. Rs. 15

[Option ID = 24115]

3. Rs. 10

[Option ID = 24116]

4. Rs. 5

[Option ID = 24117]
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Correct Answer :-

36) A sequence of real numbers (a) converges to	www.FirstRanker.com
Consider the following claims:	
(I) The sequence () converges to 1	
(i) The sequence (x_{n+1}/x_n) converges to 1.	
(II) The sequence $(x_n + x_{n+1})$ converges to $2x$	
[Question ID = 6031] . Only Statement I is correct	
[Option ID = 24118] 2. Only statement II is correct	
[Option ID = 24119] 8. Both the statements are correct	
[Option ID = 24120] 4. None of the statements is correct	
[Option ID = 24121]	
Correct Answer :-	
Dout the statements are correct [Ontion ID = 24120]	
37) Let \mathfrak{R} be the set of real numbers and let D be the set of functions $d: \mathfrak{R} \times \mathfrak{R} \rightarrow \mathfrak{all} x, y, z \in \mathfrak{R}$:	\mathfrak{R} that satisfy the following properties
$d(x,y) \ge 0$	
d(x, y) = 0 if and only if $x = y$	
d(x, y) = d(y, x) $d(x, y) = d(y, x) + d(y, y)$	
$u(x,z) \simeq u(x,y) + u(y,z)$	
which of the following is not a function in <i>p</i> :	
[Question ID - 6032]	
d(x, y) = x - y	
[Option ID = 24122]	
$d(x,y) = \begin{cases} 0, & \text{if } x = y \\ 1, & \text{otherwise} \end{cases}$	
[Option ID = 24123]	
$d(x, y) = \min\{ x - y , 1\}$	
[Option ID = 24124]	
$\begin{array}{ll} 4. & d(x,y) = \begin{cases} 0, & \text{if } x-y \le 1\\ 1, & \text{otherwise} \end{cases} \end{array}$	
[Option ID = 24125]	
Correct Answer :-	
• $d(x, y) = \begin{cases} 0, & \text{if } x - y \le 1\\ 1, & \text{otherwise} \end{cases}$	
[Option ID = 24125]	
20) Lot up to the set of real numbers and lot	
So $f \in \mathfrak{R}$ be the set of real numbers and let $f : \mathfrak{R} \to \mathfrak{R}$ be a concave function.	
Which of the following statements is correct?	
[Ouestion ID = 6033]	
f must be concave	
[Option ID = 24126]	
2. <i> f</i> must be concave	
[Option ID = 24127]	
$f \circ f$ (the composition of t with itself) must be concave	

Image: Section (b = 4012) www.FirstRanker.com www.FirstRanker.com 37) The maximum value of $f(x, y) = (xy)^{1/3}$ subject to $ x \ge y $ and $ x + y \le 1$ is (Question (b = 4034) 0.25 (prime (b = 24131) 0.5 (prime (b = 24132) 1 (b) (b) (b) (c) (c) (c) (c) (c) (c) (c) (c) (c) (c	FirstRanker.c	om	
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Correct Answer :- • $(-\infty, -1) \cup (0, 3)$ [Option ID = 24137] 41) Consider the function $f(x,y) = \begin{cases} xy/(x^2 + y^2), & if(x,y) \neq (0,0) \\ if(x,y) = (0,0) \end{cases}$ [Question ID = 6036] • f is differentiable at $(0,0)$ and its partial derivatives are both 0 at $(0,0)$ [Option ID = 24138] • f is not differentiable at $(0,0)$ and its partial derivatives are not both 0 at $(0,0)$ [Option ID = 24139] • f is differentiable at $(0,0)$ and its partial derivatives are not both 0 at $(0,0)$ [Option ID = 24140] • f is not differentiable at $(0,0)$ and its partial derivatives do not exist at $(0,0)$ [Option ID = 24141] Correct Answer :- • f is not differentiable at $(0,0)$ and its partial derivatives are both 0 at $(0,0)$ [Option ID = 24139] 42) The coefficient of x^2 in $(1 + 3x + 3x^2 + x^3)^4$ is [Question ID = 6037] • 36 [Option ID = 24142] • 66 www.FirstRanker.com	[Option ID = 24137]		
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[Question ID = 6037] . 36 [Option ID = 24142] . 66 www.FirstRanker.com	42) The coefficient of x^2 in $(1 + 3x + 3x^2 + 3x^2)$	x ³) ⁴ is	
[Option ID = 24142] . 66 www.FirstRanker.com	[Question ID = 6037] 1. 36		
www.FirstRanker.com	[Option ID = 24142]		
[Option ID - 24142]	2. 00	www.FirstRanker.com	

[Option ID = 24145]	www.FirstRanker.com	www.FirstRanker.com
Correct Answer :-		
• 66 [Ontion ID = 24143]		
43) Consider the set $A = \{(x, y) \in \Re^2 x =$	$= 1, y \ge 1 \} \cup \{ (x, y) \in \Re^2 x > 1 \}$	
[Question ID = 6038] 1. A is open in ₉₁ 2		
[Option ID = 24146] 2. A is closed in ₃ 2		
[Option ID = 24147] 3. A is open and closed in ₉₁ 2		
[Option ID = 24148] 4. A is neither open, nor closed in \mathfrak{N}^2		
[Option ID = 24149]		
 Correct Answer :- A is neither open, nor closed in ₉₁2 		
[Option ID = 24149]		
44) If $f: \mathfrak{R} \to \mathfrak{R}$ is a continuous function and E i	s a closed subset of \mathfrak{M} then the set $\{x \in \mathfrak{N} \mid f(x) \in E\}$ is	
[Question ID = 6039] 1. Open		
[Option ID = 24150] 2. Closed		
[Option ID = 24151] 3. Neither open, nor closed		
[Option ID = 24152] 4. Open and closed		
[Option ID = 24153]		
Correct Answer :- • Closed		
[Option ID = 24151]		
45) For the function $f: \mathfrak{R} \to \mathfrak{R}$, given by $f(x)$	$= x^4 - 4x^3 + 6x^2 - 4x + 1$, the point $x = 1$ is	
[Question ID = 6040] 1. A local minimum		
[Option ID = 24154] 2. A local maximum		
[Option ID = 24155] 3. A point of inflection		
[Option ID = 24156] 4. None of these		
[Option ID = 24157]		
• A point of inflection		
[Option ID = 24156]		
46) Consider the function <i>f</i> mapping points of	of the plane into the plane, defined by	

[Option ID = 24160] The first and third quadrants		
The first and third quadrants		
The entire plane		
[Option ID = 24160]		
.7) Suppose {v ₁ , v ₂ ,, v _n } is a set of linearly dependent vector. Suppose c ₁ , c ₂ ,, c _n are scalars, not all zer number of non-zero scalars is	ent vectors, none of them being the zero ro, such that $\sum_{i=1}^{n} c_i v_i = 0$. Then the minimum	
Question ID = 6042]		
[Option ID = 24162] 2		
[Option ID = 24163]		
n – 1		
[Uption ID = 24164] Cannot be determined		
[Option ID = 24165]		
orrect Answer :-		
2		
[Option ID = 24163]		
$(x) = f(-x) \text{ for every } x \in \mathfrak{N} \setminus \{0\} $ (B) Question ID = 60431		
(A) is true and (B) is false		
[Option ID = 24166]		
(A) is false and (B) is true		
Both are true		
[Option ID = 24168] Both are false		
[Option ID = 24169]		
orrect Answer :-		
Both are true		
[Option ID = 24168]		
(9) Consider the function $f: \mathfrak{N} \to \mathfrak{N}$ defined b	$PY f(x) = x^3 - 6x^2 + 11x - 6$	
)f the functions g_1, g_2, g_3 , defined as follows,	$g_1(x) = x - 2$, $g_2(x) = x - 3$, $g_3(x) = x - 4$, the functions that divide $f(x)$ without
emainder are		
Question ID = 60441		
Only g_1		
[Option ID = 24170]		
[Option ID = 24170] Only g_1 and g_2		
[Option ID = 24170] Only g_1 and g_2		

Only g_1 and g_2	www.FirstRanker.com	www.FirstRanker.com
[Option ID = 24171]		
(0) If <i>B</i> is an $n \times n$ real matrix and B^{T} is the t	ranspose of B , then	
Question ID = 6045] $B^{T}B$ is negative definite		
[Option ID = 24174] $B^{T}B$ is positive definite		
[Option ID = 24175] $B^{T}B$ is negative semidefinite		
[Option ID = 24176] $B^{T}B$ is positive semidefinite		
[Option ID = 24177]		