Code No: RR210404

RR

II B.Tech I Semester(RR) Supplementary Examinations, May/June 2010 SIGNALS AND SYSTEMS

(Common to Electronics & Communication Engineering, Electronics & Instrumentation Engineering, Electronics & Control Engineering and Instrumentation & Control Engineering) Time: 3 hours Max Marks: 80

| Α | nswer | any | FIVE | Ques | tions | | | |
|-----------|-------|-----------------|-------|-------|-------|--|--|--|
| All | Quest | \mathbf{ions} | carry | equal | marks | | | |
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| 1. | (a) | Write the significance of spectral analysis in communication systems. | [4M] |
|----|-----|--|------------------------------|
| | (b) | Explain how a function can be approximated by a set of orthogonal functions. | [6M] |
| | (c) | Derive the expression by which the Mean square error can be evaluated. | [6M] |
| 2. | Wit | h regard to Fourier series representation, justify the following statement. | |
| | (a) | Odd functions have only sine terms. | / [5M] |
| | (b) | Even functions have no sine terms. | [5M] |
| | (c) | Functions with half-wave symmetry have only odd harmonics. | [6M] |
| 3. | (a) | State and prove convolution and differentiation properties of Fourier Transforms. $[3+3+4]$ | =10M] |
| | (b) | A signal $x(t)$ is given as $x(t)=6 \cos 10 \pi t$. This signal is sampled by an impulse train sampling frequency of the impulse train are 7 Hz and 14 Hz. Draw the spectra of the signal. Draw the spectra of the sampled signal with sampling frequency 7 Hz and 14 Hz. | n. The original [6M] |
| 4. | (a) | Explain the difference between a time invariant system and time variant system? Write some tical cases where you can find the systems. What do you understand by the filter character of a linear system? Explain the condition of causality? $[2+2+4+2]$ | e prac- eristics =10M] |
| | (b) | What is the effect of under sampling? \lor | [6M] |
| 5. | (a) | Energies of signals $g_1(t)$ and $g_2(t)$ are Eg_1 and Eg_2 , respectively. | [3M] |
| | | i. Show that in general, the energy of signal $g_1(t) + g_2(t)$ is not $Eg_1 + Eg_2$. | [3M] |
| | | ii. Under what condition is the energy of $g_1(t) + g_2(t)$ equal to $Eg_1 + Eg_2$. | [3M] |
| | | iii. Can the energy of the signal $g_1(t)+g_2(t)$ be zero? If so under what condition? | [2M] |
| | (b) | State and prove Rayleigh's energy theorem. [2+ | 6=8M] |
| 6. | (a) | Let $R_{12}(\lambda)$ and $R_{21}(\lambda)$ denote the cross correlate function of two energy signals $g_1(t)$ and Show that the total area under $R_{12}(\lambda)$ is defined by | $l g_2(t).$ |
| | | $\int_{-\infty}^{\infty} R_{12}(\tau) d\tau = \left[\int_{-\infty}^{\infty} g_1(t) dt \right] \left[\int_{-\infty}^{\infty} g_2(t) dt \right]^*.$ | [8M] |
| | (b) | Show that $R_{12}(\lambda) = R_{21}^*(-\lambda)$. | [8M] |
| 7. | (a) | Use geometric evaluation from the pole-zero plot to determine the magnitude of the l transform of the signal whose Laplace transform is specified as $X(s) = \frac{s^2 - s + 1}{s^2 + s + 1}$ $\Re e\{s\} > [6+2=8M]$ | Fourier $-(1/2).$ |
| | (b) | Determine the Laplace transform and associated region of convergence | |
| | | And pole-zero plot for the following function of time $x(t)=e^{-2t}u(t)+e^{-3t}u(t)$. [6+ | 2=8M] |
| 8. | (a) | Find the inverse z transform of $X(z)$ using power series method, given | |

 $\begin{array}{l} X(z)=1/[1-az^{-1}], |z|<|a|. \end{array}$ $\begin{array}{l} [8M] \\ (b) \mbox{ Prove that for causal sequences the R.O.C in exterior of circle of some radius 'r'. } \end{array}$