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B.Tech II Year II Semester (R13) Regular & Supplementary Examinations May/June 2016 CONTROL SYSTEMS ENGINEERING

(Electrical and Electronics Engineering)

Time: 3 hours

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PART – A

Max. Marks: 70

(Compulsory Question)

- Answer the following: (10 X 02 = 20 Marks)
 - (a) In Torque-Voltage analogy, what are the analogous electrical quantities for: (i) Torque. (ii) Moment of Inertia. (iii) Angular displacement. (iv) Stiffness.
 - (b) Illustrate the following rule in block diagram algebra: Moving a take-off point from the input node to the output node of a block having the transfer function G(s).
 - (c) Sketch the unit step response of a first-order system and show how 'Time Constant' is defined?
 - (d) What are the most important advantageous features of: (i) Integral control? (ii) Derivative control?
 - (e) What is the condition to be satisfied by the real part of the poles of a system for the system to be stable?
 - (f) The open loop transfer function of a system is given by $\frac{4 (s+4)(s+6)}{s (s+8)(s+12)}$. What portions of the real axis contain the branches of the root locus?
 - (g) Draw the Bode plots for Phase Lead Compensator.
 - (h) Define: (i) Gain Margin. (ii) Phase Margin with reference to Bode Plots.
 - (i) Enumerate any four important advantages of state space approach over transfer function approach.
 - (j) If A, B, and C are the Matrices in the state space model of a system, how is the equivalent transfer function of the system evaluated using A, B and C? Deduce the relation.

PART – B

(Answer all five units, $5 \times 10 = 50$ Marks)

- 2 (a) Compare and contrast 'open loop control systems' and 'closed loop control systems'.
 - (b) What are the various ways of classifying control systems? Discuss in detail the effects of feedback on system performance.

OR

- 3 (a) Write Mason's gain formula and explain the meaning of all the terms in the formula.
 - (b) Draw the circuit diagram of armature-controlled D.C Motor. Derive its transfer function.

UNIT – II

- 4 (a) Define position error constant K_p. Find the steady state error of Type 0, Type 1, and Type 2 systems to unit step input
 - (b) The open loop transfer function of a unity feedback control system is given by $G(s) = \frac{K}{s(s+1)(s+2)}$. Find the minimum value of *K* for which the steady state error is less than 0.1 for unit ramp input.

OR

- 5 (a) What are the important time domain specifications for transient response? Explain.
 - (b) Obtain the expression for the unit step response c(t) of a unity feedback system whose open loop transfer function is $G(s) = \frac{4}{s(s+5)}$.

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UNIT – III

- Determine the stability of the system having the characteristic equation given below: 6 (a) $s^3 + 4s^2 + 6s + 4 = 0$
 - A certain unity negative feedback system has the open loop transfer function $G(s) = \frac{K(s+1)}{s(s-1)(s+6)}$. Find the (b) value of K which makes the closed loop system lose stability. What are the locations of unstable poles in the s-plane for this value of K.

OR

- State and explain the rules for construction of root loci, which are concerned with: (i) Angle of 7 (a) asymptotes. (ii) Breakaway point on real axis.
 - Consider the loop transfer function $G(s)H(s) = \frac{K(s+2)}{(s^2+2s+2)}$. Construct the root locus and comment on (b) stability.

UNIT – IV

- Define and explain various frequency domain specifications with relevant expressions. 8 (a)
 - Construct the Bode plots for the transfer function $G(s)H(s) = \frac{30}{s(1+0.5s)(1+0.08s)}$. There from, determine the (b) gain margin and phase margin. Is the closed loop system stable?

OR

(a) State and explain the Nyquist Criterion. 9

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- Sketch the Nyquist plot for $G(s)H(s) = \frac{e^{-Ts}}{(s+p)}, p > 0.$ (b) UNIT – V
- Determine the: (i) State Transition Matrix. (ii) State response. (iii) Unit step response of the system 10 having the following state model.

$$\dot{X} = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix} X + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u, \quad X(0) = \begin{bmatrix} 1 \\ 1 \end{bmatrix};$$
$$Y = \begin{bmatrix} 1 & 0 \end{bmatrix} X$$

ORETOON 11 Compare and contrast classical approach and modern approach used for control system analysis and (a) design.

- Derive the solution of: (b)
 - (i) Homogeneous state equation.
 - (ii) Non homogeneous state equation NNN.