

Code No: NR/RR210501

NR/RR

Set No. 2

II B.Tech I Semester Examinations, November 2010
DISCRETE STRUCTURES AND GRAPH THEORY
 Common to Information Technology, Electronics And Computer
 Engineering, Computer Science And Engineering

Time: 3 hours

Max Marks: 80

Answer any FIVE Questions
 All Questions carry equal marks

1. (a) Give an example of a relation on a set which is neither symmetric nor anti-symmetric. [6+10]
 (b) Let $R = \{(1, 2), (3, 4), (2, 2)\}$ and $S = \{(4, 2), (2, 5), (3, 1), (1, 3)\}$. Find $R \bullet S, S \bullet R, R \bullet (S \bullet R), (R \bullet S) \bullet R, R \bullet R, S \bullet S, R \bullet R \bullet R$.
2. (a) In how many ways can 10 people be seated in a row so that a certain pair of them are not next to each other? [8+8]
 (b) Define the combinations and permutations.
3. (a) Prove that any two simple connected graphs with n vertices and all of degree two are isomorphic [8+8]
 (b) Suppose G_1 and G_2 are isomorphic prove that if G_1 is connected then G_2 is also connected.
4. (a) Define the term 'lattice', clearly stating the axioms. [6]
 (b) Let C be a collection of sets which are closed under intersection and union. Verify whether (C, \cap, \cup) is a lattice. [10]
5. (a) Give the adjacency matrix for the following graph. [6]
 $G = (\{1, 2, 3, 4, 5, 6\}, \{1, 2\}, \{1, 4\}, \{2, 5\}, \{2, 6\}, \{3, 4\}, \{3, 5\}, \{3, 6\}, \{4, 5\}, \{4, 6\}, \{5, 6\})$
 (b) Describe the breadth-first-search technique with the help of an example situation. [10]
6. (a) Show that [8+8]
 $P \rightarrow (Q \rightarrow R) \Leftrightarrow P \rightarrow (\neg Q \vee R) \Leftrightarrow (P \wedge Q) \rightarrow R$
 (b) Show that
 $(\neg P \wedge (\neg Q \wedge R)) \vee (Q \wedge R) \vee (P \wedge R) \Leftrightarrow R$
7. Solve the recurrence relation $a_n - 9a_{n-1} + 26a_{n-2} - 24a_{n-3} = 0$ for $n \geq 3$. [16]
8. (a) Show that $K_5 - e$ is planar for any edge e of K_5 where K_5 is a complete graph with 5 vertices. [8+8]
 (b) Show that $K_{3,3} - e$ is planar for any edge e of $K_{3,3}$ where $K_{3,3}$ is a complete bipartite graph.

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2. (a) Show that $P \rightarrow (Q \rightarrow R) \Leftrightarrow P \rightarrow (\neg Q \vee R) \Leftrightarrow (P \wedge Q) \rightarrow R$ [8+8]
 (b) Show that $(\neg P \wedge (\neg Q \wedge R)) \vee (Q \wedge R) \vee (P \wedge R) \Leftrightarrow R$
3. (a) Give an example of a relation on a set which is neither symmetric nor anti-symmetric. [6+10]
 (b) Let $R = \{(1, 2), (3, 4), (2, 2)\}$ and $S = \{(4, 2), (2, 5), (3, 1), (1, 3)\}$. Find $R \bullet S, S \bullet R, R \bullet (S \bullet R), (R \bullet S) \bullet R, R \bullet R, S \bullet S, R \bullet R \bullet R$.
4. (a) In how many ways can 10 people be seated in a row so that a certain pair of them are not next to each other? [8+8]
 (b) Define the combinations and permutations.
5. (a) Define the term 'lattice', clearly stating the axioms. [6]
 (b) Let C be a collection of sets which are closed under intersection and union. Verify whether (C, \cap, \cup) is a lattice. [10]
6. (a) Give the adjacency matrix for the following graph. [6]
 $G = (\{1, 2, 3, 4, 5, 6\}, \{1, 2\}, \{1, 4\}, \{2, 5\}, \{2, 6\}, \{3, 4\}, \{3, 5\}, \{3, 6\}, \{4, 5\}, \{4, 6\}, \{5, 6\})$
 (b) Describe the breadth-first-search technique with the help of an example situation. [10]
7. (a) Show that $K_5 - e$ is planar for any edge e of K_5 where K_5 is a complete graph with 5 vertices. [8+8]
 (b) Show that $K_{3,3} - e$ is planar for any edge e of $K_{3,3}$ where $K_{3,3}$ is a complete bipartite graph.
8. (a) Prove that any two simple connected graphs with n vertices and all of degree two are isomorphic [8+8]
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NR/RR**Set No. 1**

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$$(\neg P \wedge (\neg Q \wedge R)) \vee (Q \wedge R) \vee (P \wedge R) \Leftrightarrow R$$
5. (a) Show that $K_5 - e$ is planar for any edge e of K_5 where K_5 is a complete graph with 5 vertices. [8+8]
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 (b) Describe the breadth-first-search technique with the help of an example situation. [10]

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2. (a) Give the adjacency matrix for the following graph. [6]
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 (b) Describe the breadth-first-search technique with the help of an example situation. [10]
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