

Code No: RR220102

RR

Set No. 2

II B.Tech II Semester Examinations, December 2010
STRENGTH OF MATERIALS - II
Civil Engineering

Time: 3 hours

Max Marks: 80

Answer any FIVE Questions
All Questions carry equal marks

1. A closely coiled helical spring is made of 20mm dia. wire coiled to a mean dia. of 200mm the number of turns being 15. If a load of 5 kN is applied, find the deflection of the spring. Find also the energy stored in the spring. [16]
2. A tie bar of cross - sectional area 1000mm^2 is subjected to an axial tensile load of 70 kN. Find the normal, tangential and resultant stresses on a plane the normal to which makes an angle of 30° with the axis of the bar. Find also the max. values of these stresses and the planes on which they act. [16]
3. (a) What do you understand by "Beam-columns"?
 (b) A horizontal strut of length L, having hinged ends, carries an axial compressive load P, and central vertical load W. Derive expression for max values of deflection, B.M. and stress. [4+12]
4. Illustrate the application of:
 - (a) Max. strain - energy theory of failure and
 - (b) Max. shear strain energy theory of failure in the design of circular shaft by taking a simple example. [6+10]
5. What do you understand by circle of inertia? Using the same obtain graphically the principal moments of inertia for an unequal angle section $60 \times 40 \times 6\text{mm}$. [16]
6. A spherical shell of 90 mm internal dia. has to withstand an internal pressure of 35N/mm^2 . Find the thickness of shell required, the max. permissible tensile stress is 80N/mm^2 . [16]
7. An R.S.Tee-section, 150mm wide $\times$ 75mm deep, thickness of flange 9mm, thickness of web 8.4mm, is used as a strut, 3 metre 4 long, ends hinged. Calculate the safe axial load by Rankine's formula, using a factor of safety of 3. Rankine's constants, $f_c = 315\text{N/mm}^2$; $a = 1/7500$. [16]
8. (a) Explain Haigh's max. strain energy theory originally put forward by Beltrami.
 (b) Obtain the yield criterion and design criterion in the case of 3-D and 2-D stress systems. [8+8]

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Set No. 4

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STRENGTH OF MATERIALS - II

Civil Engineering

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Set No. 1

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STRENGTH OF MATERIALS - II

Civil Engineering

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II B.Tech II Semester Examinations, December 2010
STRENGTH OF MATERIALS - II
Civil Engineering

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Max Marks: 80

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 - (b) Max. shear strain energy theory of failure in the design of circular shaft by taking a simple example. [6+10]
2. A closely coiled helical spring is made of 20mm dia. wire coiled to a mean dia. of 200mm the number of turns being 15. If a load of 5 kN is applied, find the deflection of the spring. Find also the energy stored in the spring. [16]
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