

Code No: G8205/R13

M. Tech. I Semester Supplementary Examinations, January-2017

**DETECTION AND ESTIMATION THEORY**

(Common to DE&amp;CS, E&amp;CE, CS, M&amp;CE and DECE)

Time: 3 hours

Max. Marks: 60

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*Answer any FIVE Questions*  
*All Questions Carry Equal Marks*

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1. a List important properties of estimators. What do you understand by “Discrete linear model” in estimation?  
b Distinguish between Point Processes and Gaussian processes.
2. a A single observation  $x=s+n$  consists of zero mean Gaussian noise plus either  $s^{(1)}=1$  (or)  $s^{(2)}=2$ , with the two possible signals equally likely to be present. Show that the best minimum pre decision rule says that  $s^{(1)}$  is present if  $x \leq 1.5$  and  $s^{(2)}$  is present if  $x > 1.5$  Find the corresponding  $P_e$  if  $\sigma_n^2 = 1$ .  
b Derive the likelihood ratio test (LRT), under the Neyman Pearson (NP) criterion for a binary hypothesis problem.
3. a Discuss nonlinear minimum mean squared error estimators.  
b What are the applications of Digital Wiener Filters?
4. a What is the significance of multiple linear regression? Explain.  
b What is the significance of nonparametric estimators of probability distribution? Explain.
5. a Define wide sense stationary random process? Explain the tests for stationary.  
b Explain the power spectral density functions.
6. a With neat sketch explain kalman filters and its mathematical analysis.  
b Explain model-based estimation of autocorrelation functions.
7. Consider the problem of finding the linear fit to the data set  $\{x_i, y_i\}$ ,  $i = 1, 2, \dots, N$ , using the relation  $y = A + Bx$ . Find the MMSE estimates for A and B.
8. Write Short notes on
  - a) Simple Linear Regression.
  - b) Innovation.

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