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WORK ENERGY AND POWER

(1). The work-energy theorem states that for conservative forces acting on the body, the change in kinetic energy of a body equal to the net work done by the net force on the body.

$$K_f - K_i = W_{\text{net}}$$

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Where K_i and K_f are initial and final kinetic energies and W_{net} , is the net work done.

12p. For a conservative force in a ne dimension,. Potential energy function is defined such that

$$F(x) = - \frac{dV(x)}{dx}$$

3p. Average power of a force is defined as the ratio of the work done to the total time t taken,

$$P_{av} =$$

4p. The instantaneous power is defined as the limiting value of the average power as time interval approaches zero.

$$P = \frac{dW}{dt}$$

Power can also be expressed as

$$P = \vec{F} \cdot \frac{d\vec{v}}{dt} \quad \text{here, } d\vec{v} \text{ is displacement vector.}$$

Work done by Constant Force

$$W = F \cdot S$$

(6). Work done by multiple forces.

$$\Sigma \vec{F} = \vec{F}_1 + \vec{F}_2 + \vec{F}_3 + \dots$$

$$W = F_1 \cdot S + F_2 \cdot S + \dots$$

$$W = W_1 + W_2 + W_3 + \dots$$

Work done by A variable force

$$W = \int \vec{F} \cdot d\vec{r}$$

(84. Relation between momentum and kinetic energy

$$K = \frac{p^2}{2m} \quad \text{and} \quad p = mv \quad \text{Linear momentum}$$

Nil. Potential energy

$$dU = - \vec{F} \cdot d\vec{r} \quad \text{I.e., } \frac{dU}{dr} = -F$$

$$U = - \int \vec{F} \cdot d\vec{r} = -W$$

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{20}. Conservative Forces

$$F = -\frac{1}{r^2}$$

(11). Work-Energy theorem

$$W_{\text{nc}} + \Delta K = 0$$

{12}. Modified Form of work-Energy Theorem

$$W = \Delta U$$

$$W_{\text{nc}} + \Delta K = \Delta U$$

$$W_{\text{nc}} = \Delta U - \Delta K$$

(12]. Power

The average power \bar{P} or \bar{F}_{av} delivered by an agent is given by \bar{P} or \bar{F}_{av} =

$$P = \frac{dW}{dt} = \frac{dU}{dt} = \bar{F} \cdot \bar{v}$$