



5. a) Obtain an expression for the enthalpy change,  $dh$  in a Clausius I fluid that follows the relation  $P = RT/(v-b)$ , and show that  $c_p$  is a function of  $T$  alone.
- b) A substance undergoes an adiabatic and reversible, process. Obtain an expression for  $(\partial T/\partial v)_s$  in terms of  $c_v$ ,  $\beta_P$ ,  $\beta_T$  and  $T$ . What is the value of  $(\partial T/\partial v)_s$  for copper, given that  $\beta_P = 5 \times 10^{-5} \text{ K}^{-1}$ ,  $\beta_T = 8.7 \times 10^{-7} \text{ bar}^{-1}$ ,  $c = c_v = 0.386 \text{ kJ kg}^{-1} \text{ K}^{-1}$ ,  $v = 1.36 \times 10^{-4} \text{ m}^3 \text{ kg}^{-1}$ , and the temperature is  $25^\circ\text{C}$ ? What is the temperature rise if  $dv = -8.106 \times 10^{-7} \text{ m}^3 \text{ kg}^{-1}$ ?
6. A dry gas analysis of the gas exhaled by a human lung is as follows—  $\text{O}_2$ :16.5% and  $\text{CO}_2$ :3.1%. Assume the “fuel” burned by humans is characterized by the chemical formula  $\text{CH}_x$  and is completely burned. Determine the values of “x” and (A:F).
7. a) The Joule Thomson effect can be depicted through a porous plug experiment that illustrates that the enthalpy remains constant during a throttling process. In the experiment a cylinder is divided into two adiabatic variable volume chambers A and B by a rigid porous material placed between them. The chamber pressures are maintained constant by adjusting the volume. Freon vapor with an initial volume  $V_{A,1}$ , pressure  $P_{A,1}$  and energy  $U_{A,1}$  is present in chamber A. The vapors penetrate through the porous wall to reach chamber B. The final volume of chamber A is zero. Determine the work done by the gas in chamber B, and the work done on chamber A. Apply the First Law for the combined system A and B and show that the enthalpy in the combined system is constant.
- b) Obtain a relation for  $ds$  for an ideal gas. Using the criterion for an exact differential show that for this gas  $c_v$  is only a function of temperature.
8. a) Distinguish between an ideal and a perfect gas and show that in both cases the specific entropy,  $s$ , is given by

$$s = s_0 + \int_{\tau_0}^{\tau} \frac{dh}{T} - R \ln \left( \frac{p}{p_0} \right)$$

- b) If a fluid, consisting of a single component, is contained in two containers at different temperatures, show that the difference in pressure between the two containers is given by

$$\frac{dp}{dT} = \frac{h - u^*}{vT}$$

where  $h$  = specific enthalpy of the fluid at temperature  $T$ ,

$u^*$  = the energy transported when there is no heat flow through thermal conduction,

$v$  = specific volume,

$T$  = temperature.