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Code No. K0223R07Set No.1Set No.1IN Each II Semester Supplementary Examinations, July/August, 2012  
DIGITAL CONTROL SYSTEMS  
(Electrical and Electronics Engineering)Time: 3 hoursMax. Marks: 80Answer any FIVE Questions  
All Questions carrent  
and marks  
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arrent1. a) Explain different methods of A/D conversion?  
b) Explain the sample and hold circuits with a neat circuit diagram.(8+8)2. a) Obtain the inverse z-transform of the following:  
$$() X(Z) = [Z(Z+2)]/[(Z-1)^2]$$
  
 $(i) X(Z) = [Z(Z+2)]/[(Z-1)^3]$ b) Obtain the Z-transform of the following $(i) X(S) = [Z(Z+2)]/[(Z-1)^2]$   
 $(i) X(Z) = [Z']/[(1-Z')^3]$ b) Obtain the Z-transform of the following $(i) X(S) = [Z' (J-Z')]$   
 $(i) X(S) =  $\frac{S}{(s^2 - \omega^2)}$ (8+8]3. a) Explain bounded-input, bounded-output stability.  
b) Solve the following difference equation by the use of Z-transform method.  
 $X(K+2)+3X(K+1)+2X(K) = 0; with X(0) = 0, X(1) = 1$ (2 (J-Z'))  
 $(J+0,5Z^{-1})(I-0,5Z^{-1})$ Obtain the discrete control system represented by the transfer function.(G(Z) =  $\frac{Z' (J+Z')}{(J+0,5Z^{-1})(I-0,5Z^{-1})}$ Obtain the state space representation in  
the diagonal form. Also, find its state transition matrix.[16]5. a) State and explain the Obsevability theorem.  
b) Derive the relation between controllability, observabilit and transfer  
function.(a) Determine the Z-tra$ 

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- 7. a) Write short notes on PID controllersb) Explain the design procedure of lead-lag compensator in W-plane. [8+8]
- 8. Explain the reduced order state observer with block diagram. [16]

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$$(E + 2) + 3(E(E) + 2E(E) + 2E(E)) + 2E(E))$$
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[16]

7. The digital control process of a unity feedback system is described by the transfer function  $G_{ho}G_p(Z) = \frac{K(Z+0.5)}{(Z-1)(Z-0.5)}$ ,

Design a cascade phase -lag controller with the transfer function

$$D(Z) = K_c \frac{Z - Z_1}{Z - P_1}$$
, so that the following design specifications are satisfied.

- (i)  $K_v = 6$
- (ii) The dominant roots of the closed loop characteristic equation are approximately at Y(K)
- (iii) The maximum overshoot is  $\leq 15$  present.
- 8. Consider the digital process with the state equation described by

$$X(K+1) = \begin{bmatrix} 0 & 1 \\ -1 & 1 \end{bmatrix} X(K) + \begin{bmatrix} 0 \\ 1 \end{bmatrix} U(K) \text{ and } Y(K) = \begin{bmatrix} 2 & 0 \end{bmatrix} X(K)$$

Design a full order observer which will observe the states  $X_1(K)$  and  $X_2(K)$ from the output Y(K), having dead beat response. [16]

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DIGITAL CONTROL SYSTEMS  
(Electrical and Electronics Engineering)Time: 3 hoursMax. Marks: 80Answer any FIVE Questions  
All Questions carry equal marks  
\*\*\*\*1. a) Explain the functions of the following in a digital control system:  
(i) Hold circuit (ii) sampling (iii) Data hold  
b) Describe the following parameters  
(i) Acquisition time (ii) Aperture time and (iii) settling time[8+8]2. a) Find the inverse Z-transform of the following  
(i) 
$$X(Z) = Z(Z + 2)/(Z - 1)^2$$
 (ii)  $(2Z^3 + Z)/(Z - 2)^2(Z - 1)$   
b) Explain the procedure for obtaining pulse transfer function of a closed  
loop transfer function.[10+6]3. a) Determine the pulse transfer function of two cascaded system, each described  
by the difference equation.  $Y(K) = 0.5Y(K - 1) + r(K)$   
b) Explain bounded-input, bounded-output stability[10+6]4. A discrete – time system is described by the difference equation.  
 $Y(K + 2) + 5Y(K + 1) + 6Y(K) = u(K)$   
 $Y(0) = Y(1) = 0; T = 18ac$ .[10+6]5. Investigate the controllability and observability of the following system.[8+8]5. Investigate the controllability and observability of the following system.[Xi(K+1)]  
 $X_2(K+1) = \begin{bmatrix} 1 & -2 \\ X_1(K) \end{bmatrix} + \begin{bmatrix} 1 & -1 \\ 0 & 0 \end{bmatrix} u(K)$   
 $X_2(K) \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \begin{bmatrix} X_1(K) \\ X_2(K) \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \begin{bmatrix} X_1(K) \\ X_2(K) \end{bmatrix}$ [16]

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6.	<ul> <li>a) Explain the mapping betw</li> <li>b) Using Jury's stability critering equation given below,</li> <li>Z<sup>3</sup> + KZ<sup>2</sup> + 1.5Z - (K + 1)</li> </ul>	ereen S-plane and Z-plane. erion, find the range of K fo = 0 is representing the close	r which the character ed loop stable	istic
7	System.			[0+0]
7.	<ul> <li>b) Explain the design procedure in the <i>ω</i>-plane of lag compensator.</li> <li>b) Explain the design of digital control through deadbeat response method.</li> </ul>			[8+8]
8.	Draw the schematic diagram of full order observer. State the salient steps involved in design of state feedback controller through pole			
	pracement.		21	[10]

4. a) Using Z-transform method find the state transition matrix for the digital system is given by.  $X(K+1) = \begin{bmatrix} 0 & 1 \\ -3 & -4 \end{bmatrix} X(K)$ 

[10+6]

b) Explain the properties of state transition matrix.

- 5. a) Derive the necessary condition for digital control system X(K+1) = GX(K) = Hu(K)
  - Y(K) = CX(K) to be output controllable and observable.
  - (b)  $Y(K) = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} X(K)$ Is (i) output controllable (ii) Observable. [8+8]

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- 6. a) State and explain Jury stability test applied to discrete time controls. Consider the digital system shown in figure.
  - b) Find the range of K for the system to be stable using Jury stability test.



A block diagram of a digital control system is shown in Figure. Design a PID controller D(Z),to eliminate the steady state error due to a step input and simultaneously realizing a good transient response, and the ramp error constant Kv should be equal 5.



8. Consider the digital process with the state equation described by

$$X(K+1) = \begin{bmatrix} 1 & -1 \\ -1 & 0 \end{bmatrix} X(K) + \begin{bmatrix} 1 \\ 0 \end{bmatrix} U(K) \text{ and } Y(K) = \begin{bmatrix} 0 & 2 \end{bmatrix} X(K)$$

Design a full order and reduced order observer which will observe the states  $X_1(K)$ and  $X_2(K)$  from the output Y(K), having dead beat response. [16]